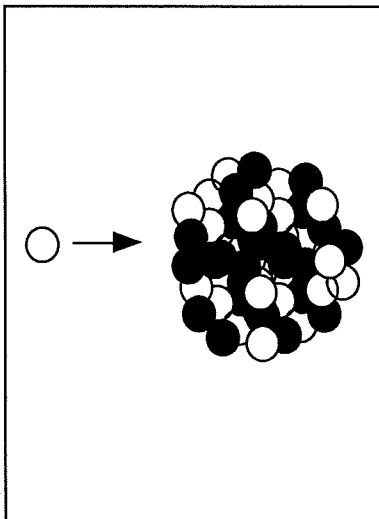


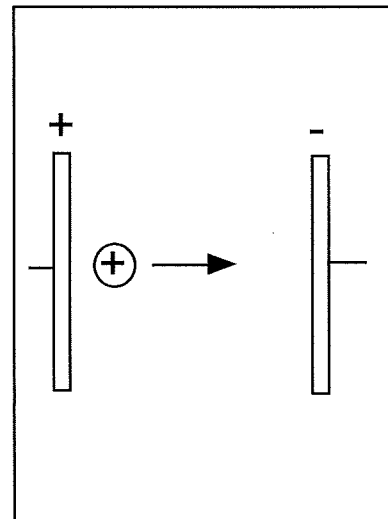
# Higher Physics

## Unit 2

### Particles and Waves



up  
down  
charm  
strange  
top  
bottom



## Summary Notes

A. The Standard Model1. Order of Magnitude

Physicist study objects from the very small - (atoms) up to the very large- (universe). We use  $\times 10^n$  notation to indicate the order of size or magnitude.

Order of magnitude (m)	Object
$10^{-15}$	width of a p_____
$10^{-8}$	width of an a_____
$10^{-7}$	wavelength of visible_____
$10^{-4}$	width of a grain of s_____
$10^0$	width of a do____
$10^3$	length of Forth Road _____
$10^7$	diameter of E_____
$10^{11}$	distance to the S_____
$10^{17}$	distance to nearest S_____
$10^{26}$	width of a observable _____

$10^2$  = order of magnitude 2       $10^7$  = order of magnitude 7

$10^{-8}$  = order of magnitude -8

So  $1 \times 10^{14}$  is an order of magnitude 7 bigger than  $1 \times 10^7$ .  
ie it's 10,000,000 times bigger. It is not twice as big.

Ex 1 How many orders of magnitude bigger is  $7.1 \times 10^6$  than  $5.6 \times 10^4$

Divide biggest no by smallest =  $\frac{7.1 \times 10^6}{5.6 \times 10^4} = 127$  nearer \_\_\_\_\_ than 1000  
therefore  $7.1 \times 10^6$  is an order of \_\_\_\_ or 100 times bigger than  $5.6 \times 10^4$

Ex 2 How many orders of magnitudes bigger is  $1.7 \times 10^{-3}$  than  $2.4 \times 10^{-7}$ ?

Divide biggest o by smallest =  $\frac{1.7 \times 10^{-3}}{2.4 \times 10^{-7}} = 7083$  This is nearer 10,000 than \_\_\_\_\_ so  $1.7 \times 10^{-3}$  is an order of \_\_\_\_ magnitudes bigger than  $2.4 \times 10^{-7}$  or 10,000 times bigger

2. Fermions

Anything in the universe which is made from matter is called a \_\_\_\_\_.

3. 1st Generation Fermions

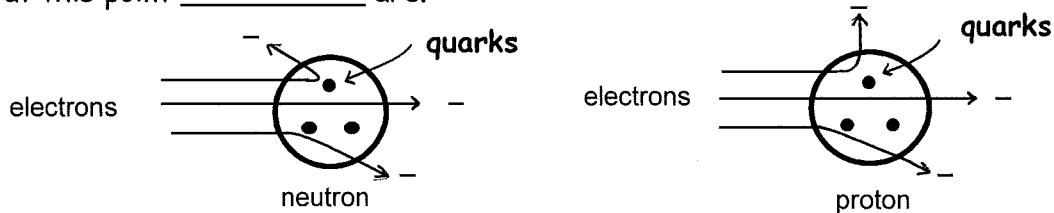
There are 4 fundamental fermion particles which make up all the matter in the universe we can see. We call these 4 fermions \_\_\_st generation fermions. A fundamental particle cannot be \_\_\_\_\_ down into anything simpler.

The electron

The electron is a fundamental particle. It cannot be broken \_\_\_\_\_ into anything simpler.

Neutrons and protons?


In 1909 Rutherford fired alpha particles at atoms and concluded that the nucleus was made up of smaller particles called \_\_\_\_\_. In 1963 American physicist Murray Gell-Mann fired electrons at neutrons and protons and found they were actually made from 3 tiny sub-nuclear particles called \_\_\_\_\_. So protons and neutrons are \_\_\_\_\_ fundamental particles, but as far as we know at this point \_\_\_\_\_ are.




There are two different 1st generation quarks:

The \_\_\_\_ quark (u), with a charge of  e

The \_\_\_\_\_ (d) quark with a charge of  e.

Proton      Up + Up + Down      =  $\frac{2}{3}$  + \_\_\_\_\_ - \_\_\_\_\_ =  

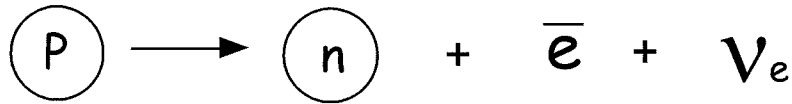
Neutron      Down + Down + \_\_\_\_\_ =  $-\frac{1}{3}$  -  $\frac{1}{3}$  + \_\_\_\_\_ =  

4. The final fundamental particle - The neutrino  $\nu_e$

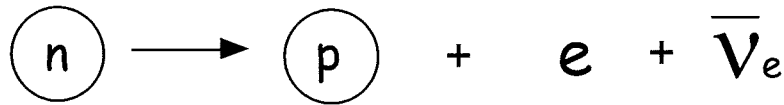
In Nat 5 we said that Beta decay involved an unstable atom decaying and emitting an electron. Another particle is also released. This new particle has no mass and no \_\_\_\_\_ and is called a \_\_\_\_\_ or electron \_\_\_\_\_. Wolfgang Pauli predicted mathematically their existence in 1931 but because they are such ghostly particles it was not until 1956 that they were finally detected.

In fact there are two types of Beta decay. One creates an electron neutrino  $\nu$  and the other an anti-electron neutrinos  $\bar{\nu}$ . ( More about anti-matter in a minute)

In big unstable atoms, protons change into neutrons and emit an electron and an anti - electron or positron and a neutrino



Or sometimes a neutron turns into a proton emitting an electron and an anti neutrino.

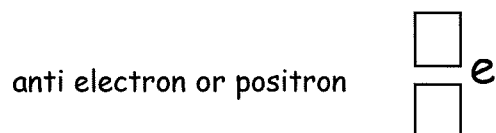


Billions of neutrinos, emitted from the sun, pass through our bodies each \_\_\_\_\_ and are virtually undetectable.

5. Anti matter

Every matter particle has an anti-matter particle. An anti-matter particle has the same \_\_\_\_\_ as the particle but an opposite \_\_\_\_\_. We indicate an anti-matter particle with a \_\_\_\_\_ above the symbol for the matter particle

particle	anti-particle
proton p	antiproton or $\bar{p}$
neutron n	_____neutron or _____
electron e	anti _____ or p_____. $e^-$ or $e^+$



up quark  $u$  charge =  $+\frac{2}{3}$

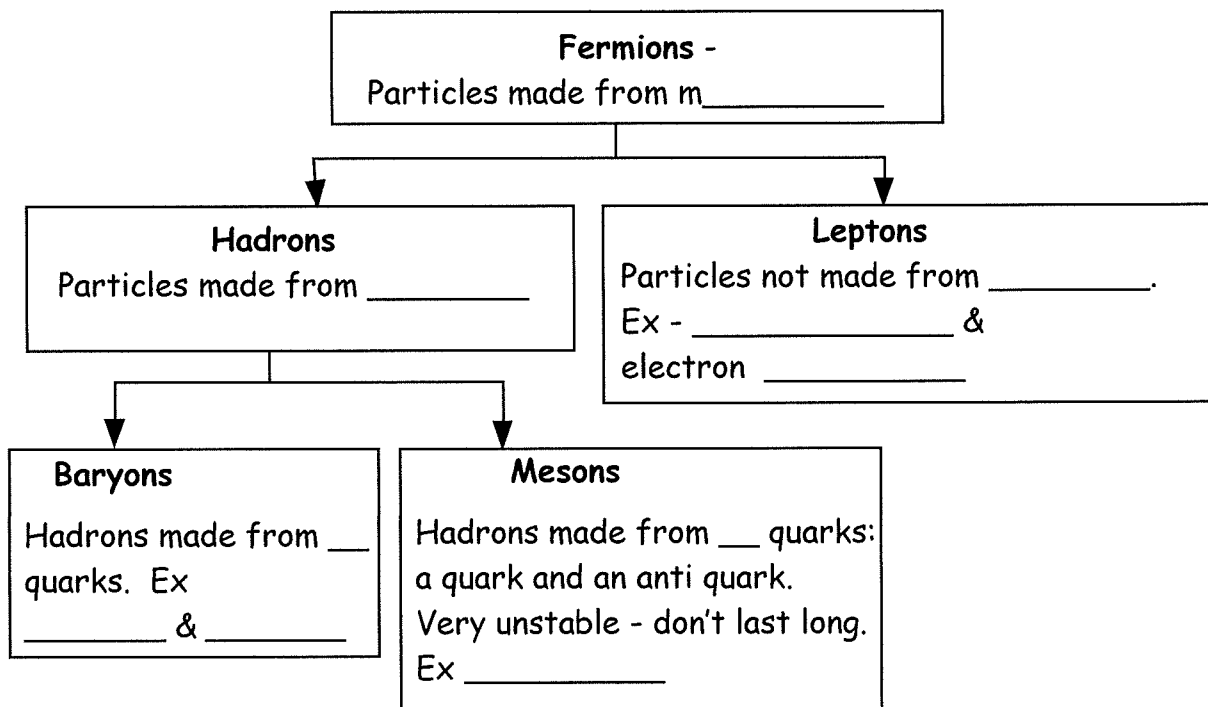
anti-up quark =  $\bar{u}$  charge =

down quark  $d$  charge =  $-\frac{1}{3}$

anti-down quark =  $\bar{d}$  charge =

When a particle and anti particle meet they \_\_\_\_\_ each other. Their masses are turned to energy in the form of \_\_\_\_\_ waves. We think most anti-matter was destroyed just after the big bang. But why does it appear that slightly more matter particles were made?

We sub divide fermions into different groups as summarised below



An example of a meson is a Pion. It is made from an up quark and an anti-down quark.

$$\text{Pion } u\bar{d} \text{ charge } = +\frac{2}{3} + \boxed{\phantom{0}} = \boxed{\phantom{0}}$$

The only stable Hadron is a proton. Even neutrons outside a nucleus decay to protons. Mesons decay very rapidly to leptons and photons. (ie energy).

So the 1st generation fermions (the stuff we see all around us) consist of up quarks, \_\_\_\_\_ quarks, electrons and electron \_\_\_\_\_.



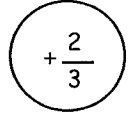

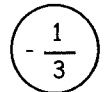
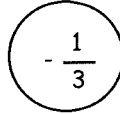






6. 2nd and 3rd generation fermions

In the last 80 years we have been building more powerful particle \_\_\_\_\_.  
 The most powerful to date is at \_\_\_\_\_ in Switzerland. As we smash protons and neutrons together at higher and higher velocities we find heavier and heavier versions of the 1st generation fundamental particles in the debris. We find a heavier version of the up quark called the charm quark, then in even higher energy collisions an even heavier version called the \_\_\_\_\_ quark appears. We find heavier versions of the down quark called the strange and \_\_\_\_\_ quark.

We also spot even more massive versions of the electrons and neutrinos whizzing about in the debris. The more massive electrons are called the \_\_\_\_\_ and the \_\_\_\_\_. And the more massive neutrinos are called \_\_\_\_\_ neutrinos and \_\_\_\_\_ neutrinos.

Again each of these particles has an anti \_\_\_\_\_.

This table summarises all the fermions we know about at this moment. Remember the physical universe is made up from the 1st generation fermions. The 2nd and 3rd generation fermions are made inside particle accelerators and maybe black holes and exploding stars. But they are short lived and quickly decay back to their 1st generation versions.

1st generation	2nd generation	3rd generation
 up quark	 c _____ quark	 top quark
 down quark	 strange quark	 _____ quark
 electron	 muon	 _____
 electron neutrino	 _____ neutrino	 _____ neutrino

## 7. Fundamental Forces

There are 4 fundamental forces in the universe which hold these fermions together.

1. Strong force.	The force which hold _____ together and therefore protons and neutrons. It is the strongest of the 4 forces but operates over a very _____ range. Less than _____ m.
2. Electromagnetic.	This is the force which acts between _____ particles. It has an _____ range.
3. Weak force.	This is the force which makes protons turn to neutrons and neutrons to turn to protons. So therefore it is vital in _____ decay. It has a very _____ range. Less than _____ m
4. Gravitational.	This is the attractive force between _____. It is extremely weak but has an _____ range.

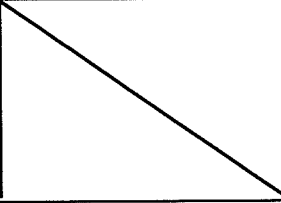
## 8. Force carriers - Bosons

So how do these forces get from one quark to another to have an affect or from one electron to another?

Well, individual particles interact by exchanging force mediating or force carrier particles called \_\_\_\_\_. The strong force requires \_\_\_\_\_. The weak force has 2 mediating particles called the \_\_\_\_\_ and \_\_\_\_\_ bosons. The electromagnetic force requires particles called \_\_\_\_\_ to carry the force. Gravity is weird - we still have not found the force mediating particle. But when it discovered we will call it a \_\_\_\_\_.

Force	Acts on	Relative Strength	Range	Boson ( force carrier)
Strong	Quarks	1	$10^{-15}\text{m}$	G _____
electromagnetic	_____ particles	$\times 0.01$		P _____
Weak	Quarks and leptons	$\times 0.00001$	$10^{-17}\text{m}$	W and _____ Bosons
Strong	Anything with _____	$\times 10^{-40}$	$\infty$	G _____

9. Summary - The Standard Model

		F _____			B _____
Q	up $+\frac{2}{3}$	c _____ $+\frac{2}{3}$	top <input type="checkbox"/>	P _____	
	down $-\frac{1}{3}$	strange <input type="checkbox"/>	b _____ <input type="checkbox"/>	G _____	
Leptons	e electron	$\mu$ m _____	$\tau$ t _____	___ & Z	
	$\nu_e$ electron neutrino	$\nu_\mu$ muon _____			

Recently we found another boson called the Higgs Boson. This Boson solved the puzzle of why things have \_\_\_\_\_. Each Boson is associated with a field - ie the photon is associated with the electromagnetic field. So the Higgs boson must have a field associated with it. This field is called the Higgs field. When a fermion moves through the Higgs field it finds it "sticky", it's this "stickiness" which we feel as mass. Things not made from mass are not affected and whizz through the field unaffected at the speed of light. ie the photon.

When we find the gravitational forces carrier particle, the graviton, it will be added.

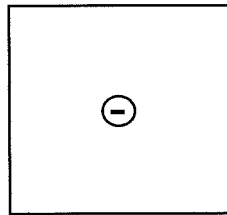
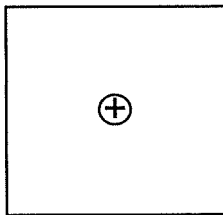


## B. Electric Fields

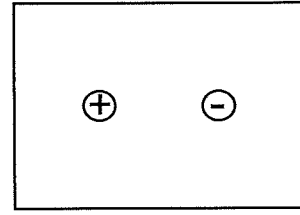
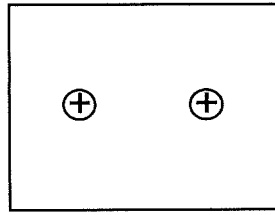
### 1. Field Patterns

Just as there is a gravitational field around a mass there is an electric field around \_\_\_\_\_ particles. The direction of the field is defined as the direction a \_\_\_\_\_ particle would move if placed in the field. Like charges \_\_\_\_\_ each other. Unlike charges \_\_\_\_\_ each other.

Field round a single particle (radial)

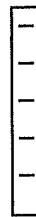
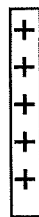


Fields between bi-poles



The closer the lines are together the \_\_\_\_\_ the field.

Field between two parallel charged plates.



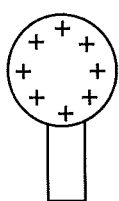
a \_\_\_\_\_ field

### 2. Charged Particles in fields

When a charged particle is placed in an electric field. A force acts on it which causes it to a \_\_\_\_\_ and therefore gain \_\_\_\_\_ energy. This energy comes from the \_\_\_\_\_ field. We say the field has done work on the particle or work is done to the particle.

### 3. Potential Difference ( )

The potential difference between 2 points is the \_\_\_\_\_ transferred when one coulomb of charge moves from one point to the other. ie  $V = E/Q$



A      B  
•      •  
45V    30V

Voltage at A = \_\_\_\_\_ V

Voltage at B = \_\_\_\_\_ V

Potential difference (pd) = \_\_\_\_\_ V

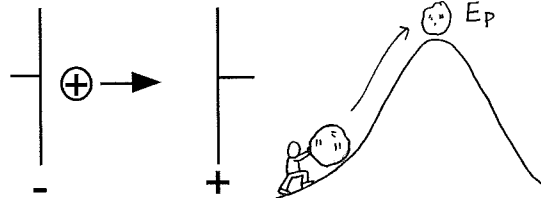
So energy required to move 1C of charge from A to B is \_\_\_\_\_ J

So energy required to move any amount of charge between these two points is

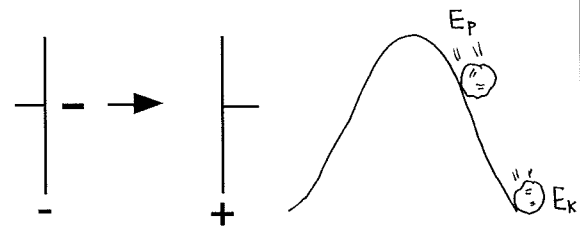
$$\text{Energy} = Q \times V \quad \text{or} \quad \text{WD} = QV$$

Quantity	Unit
WD	
Q	
V	

When you are moving against the field you are doing  $QV$  of work to the field, and the particle gains electrical \_\_\_\_\_ energy.



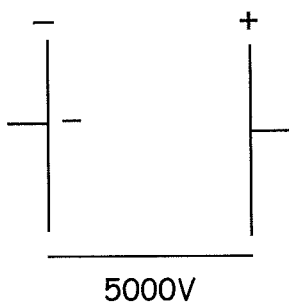
When a charge is moved by the field ie accelerates it loses \_\_\_\_\_ potential energy and gains \_\_\_\_\_ energy



In the second diagram the electron loses  $QV$  Joules of energy and gains  $\frac{1}{2}mv^2$  of kinetic energy

$$QV = \frac{1}{2}mv^2$$

Ex 1



- What type of energy does the electron have at the negative plate? \_\_\_\_\_
- Do you have to (a) do work against the field or (b) does the field do work on the electron? \_\_\_\_\_
- What does its electrical potential energy turn into as it accelerates across field? \_\_\_\_\_
- How much electrical potential energy is lost in crossing the field?
- Therefore how much kinetic energy does electron have at positive plate?

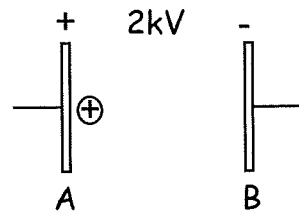
4. Speed of the charged particle.

$$QV = \frac{1}{2}mv^2 \quad \text{therefore} \quad 2QV = mv^2 \quad \text{therefore} \quad v^2 =$$

so  $v =$

Ex The pd between two parallel electric plates is 2kV. An proton is released from plate A

- (a) Calculate electrical potential energy lost when the proton moves from plate A to B?

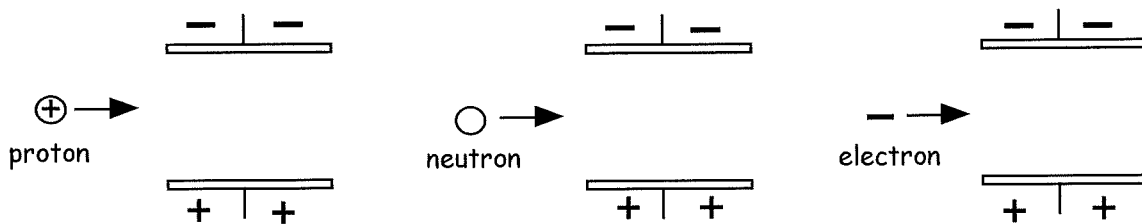


- (b) What form does this electrical potential energy turn into? \_\_\_\_\_

- (c) Calculate the speed of the particle as it hits plate B.

5. Charges moving perpendicular to electric field

These 3 diagrams show electric fields created by a negative plate at the top and a positive plate at the bottom. Sketch the path of the particle.



6. Electric charges and fields

An electric charge can create 3 fields around it depending on its motion.

<p style="text-align: center;">Stationary</p> <p style="text-align: center;">—</p> <p>produces an _____ field</p>	<p style="text-align: center;">Moving with constant speed</p> <p style="text-align: center;">— →    — →    — →</p> <p>produces an _____ field and a _____ field</p>	<p style="text-align: center;">Accelerating</p> <p style="text-align: center;">— →    — →    — →</p> <p>Produces an _____ field a _____ field and _____ waves</p>
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7. Showing magnetic fields

We can show magnetic fields as lines between North and South Poles. By convention magnetic field direction is from North to South

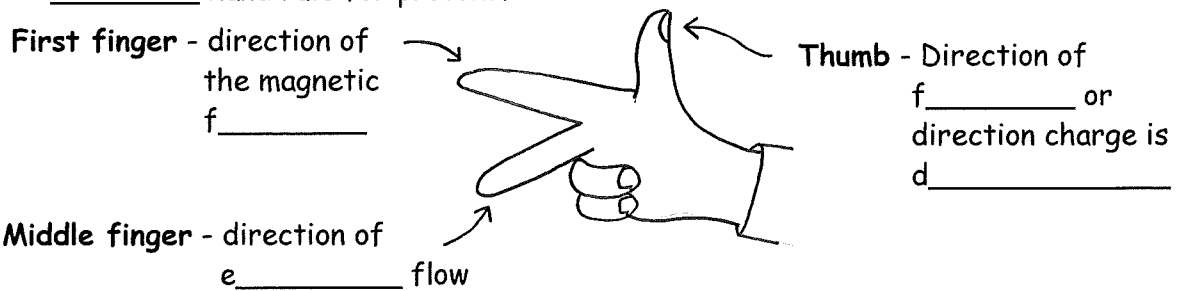


Or we can show it going into paper with and x or out of paper with a dot.

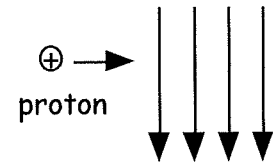
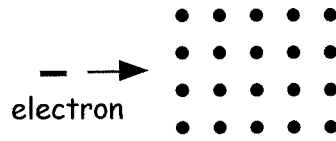
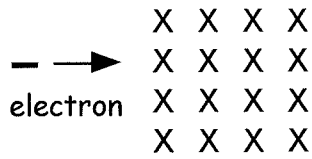


8. Charges moving in a magnetic field

Magnetic fields change the direction or d\_\_\_\_\_ charged particles. The direction can be determined using the \_\_\_\_\_ hand rule for electrons. \_\_\_\_\_ hand rule for protons.



Ex Predict the path of this electron in the magnetic field.

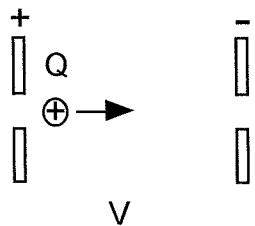


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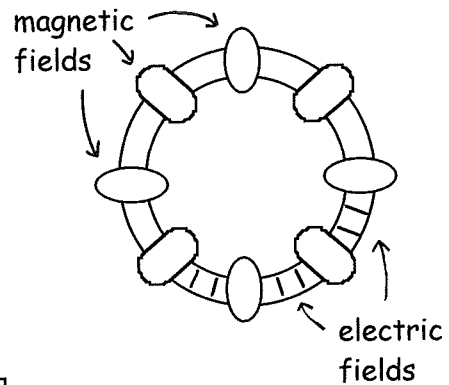
## 9. Particle accelerators

### CERN - The Large Hadron Collider - Synchrotron

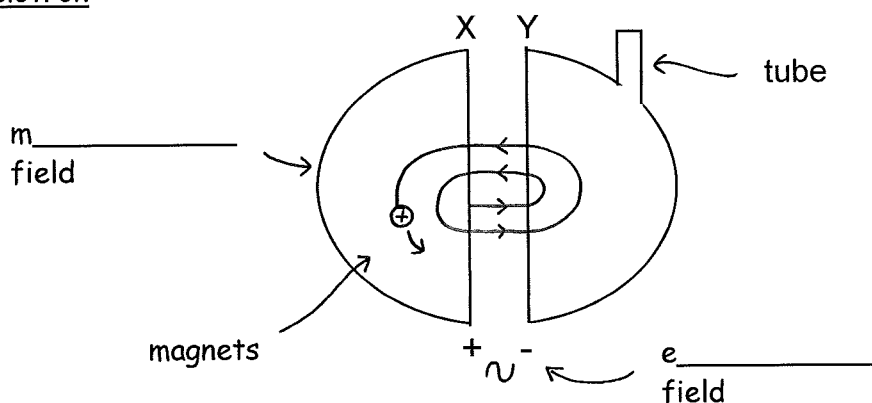
Particle accelerators accelerate charged particles to close to the speed of \_\_\_\_\_. In many applications the particles are made to collide. The debris of collisions help us to understand the composition of matter and the Big \_\_\_\_\_. At CERN, electric fields are used to \_\_\_\_\_ particles to speeds close to the speed of \_\_\_\_\_. Magnetic fields are used to \_\_\_\_\_ the particles in a circle.



$$QV = \frac{1}{2}mv^2$$



### Cyclotron

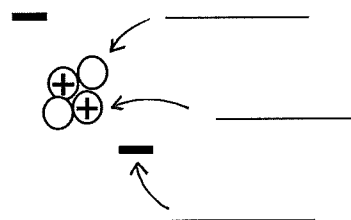


Charged particles are accelerated across electric field XY set up between two semi circular magnets, The magnets \_\_\_\_\_ the particles so they re enter electric field and are further accelerated. When the charged particle has achieved a sufficient speed the magnets are switched \_\_\_\_\_ and the particle beam travels down a tube in a straight line to be used in further experiments.

### C. Nuclear Reactions

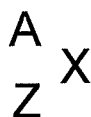
#### 1. Structure of the atom

An atom is made of a tiny central nucleus comprising positive \_\_\_\_\_ and \_\_\_\_\_ which have \_\_\_ charge. Surrounding the nucleus orbit negative \_\_\_\_\_.



Electrically neutral atoms have the same number of \_\_\_\_\_ and electrons. If it gains an electron it becomes a \_\_\_\_\_ ion. If it loses an electron it becomes a \_\_\_\_\_ ion. Atoms with the same number of protons but different numbers of neutrons are called \_\_\_\_\_.

#### 2. Describing a nucleus



X = Chemical symbol

A = Mass number = Number of \_\_\_\_\_ + \_\_\_\_\_

Z = Atomic number = Number of \_\_\_\_\_.

Ex



Element = Li = \_\_\_\_\_

No of protons = Z = \_\_\_\_\_

No of protons + neutrons = \_\_\_\_\_

No of neutrons = 7 - \_\_\_\_\_ = \_\_\_\_\_

#### 3. Stable and Unstable nuclei

In small atoms the electrostatic force trying to blow the nucleus apart is balanced by the \_\_\_\_\_ force gluing nucleons together. However with very big nuclei (Uranium) the number of positive \_\_\_\_\_ increases and so the electrostatic force increases to the point where it is gets much bigger than the \_\_\_\_\_ force. These atoms are called unstable or radioactive atoms.

To become stable the nucleus attempts to become stable by emitting alpha  $\alpha$ , Beta \_\_\_\_\_ and gamma \_\_\_\_\_ radiation.

Radiation	Symbol	Charge	Nature
Alpha			Helium _____
Beta			Fast moving _____
Gamma			_____ wave

Alpha particles are Helium nuclei so can be represented as follows



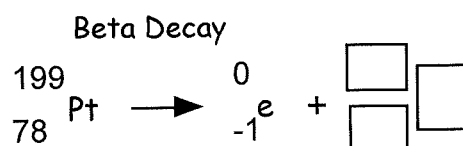
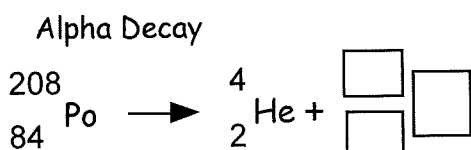
A Beta particle is an electron and can be represented as follows



A Gamma wave is represented as follows



When an unstable nucleus emits a radioactive particle we say it has \_\_\_\_\_.  
We can show these decays with decay equations



Gamma radiation is usually a by-product of the above decays. Gamma emission does \_\_\_\_\_ change the structure of the nucleus. But does make it more stable by reducing the \_\_\_\_\_ in the nucleus.

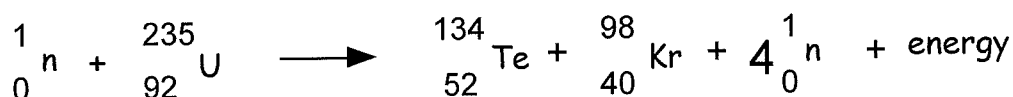
#### 4. Decay and Energy

In all these decays a little mass is lost. This mass is converted to \_\_\_\_\_.

#### 5. Fission

In a fission reaction a large nuclei \_\_\_\_\_ into two smaller \_\_\_\_\_ with the release of energy.

In a stimulated fission reaction an unstable nucleus (Uranium) absorbs a \_\_\_\_\_. This causes it to split into 2 fission fragments, some \_\_\_\_\_ and kinetic energy, which turns to \_\_\_\_\_ as the particles \_\_\_\_\_ down. The emitted neutrons travel on and cause more fission reactions. This creates a \_\_\_\_\_ reaction.



The mass of the particles after the reaction is \_\_\_\_\_ than the mass of the particles before the reaction. This lost mass is converted to \_\_\_\_\_.

The amount of energy created is calculated using

$$E = \text{_____}$$

where E = Energy \_\_\_\_\_ m = \_\_\_\_\_ mass c = speed of \_\_\_\_\_

Ex Use the following information to calculate the energy released in the above fission reaction

Particle	Mass
neutron	$1.675 \times 10^{-27} \text{kg}$
Uranium 235	$3.901 \times 10^{-25} \text{kg}$
Tellurium 134	$2.221 \times 10^{-25} \text{kg}$
Zirconium 98	$1.626 \times 10^{-25} \text{kg}$

Mass of particles before reaction

$$\underline{\hspace{2cm}} + \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$$

Mass of particles after reaction

$$\underline{\hspace{2cm}} + \underline{\hspace{2cm}} + 4 (\underline{\hspace{2cm}}) = \underline{\hspace{2cm}}$$

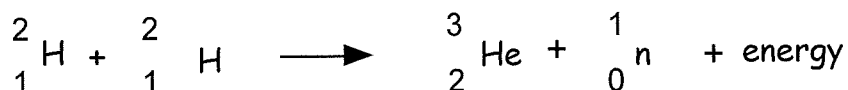
$$\text{Lost mass} = \underline{\hspace{2cm}} - \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$$

Therefore energy created by this lost mass =

$$E = mc^2 = \underline{\hspace{2cm}} \times \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$$

## 6. Fusion Reaction

In a fusion reaction \_\_\_\_\_ smaller nuclei combine to create a \_\_\_\_\_ nuclei with the release of energy. This is the reaction which powers the \_\_\_\_\_.



Once again the mass of the particles after the reaction is \_\_\_\_\_ than the mass of the particles before the reaction. This lost mass is converted to \_\_\_\_\_.  
The amount of energy created is calculated using

$$E = \underline{\hspace{2cm}}$$

Fission is the process by which e\_\_\_\_\_ is generated in our nuclear reactors. Fusion will only be viable when we can fuse the hydrogen atoms at a low enough \_\_\_\_\_ to make the process economical.



Ex Use the following information to calculate the energy created in the above fusion reaction

Particle	Mass
hydrogen 2	$3.342 \times 10^{-27} \text{kg}$
Helium 3	$5.004 \times 10^{-27} \text{kg}$
neutron	$1.675 \times 10^{-27} \text{kg}$

Mass before reaction = \_\_\_\_\_ + \_\_\_\_\_ = \_\_\_\_\_

Mass after reaction = \_\_\_\_\_ + \_\_\_\_\_ = \_\_\_\_\_

Mass Lost in reaction = \_\_\_\_\_ - \_\_\_\_\_ = \_\_\_\_\_

Energy created by reaction =  $E = mc^2 =$  \_\_\_\_\_  $\times$  \_\_\_\_\_  
= \_\_\_\_\_

## 7. Parts of a nuclear Reactor

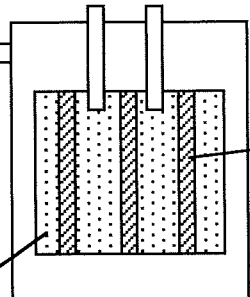
A nuclear reactor produces heat which is used to turn water into a jet of \_\_\_\_\_ which spins a magnet inside a coil of \_\_\_\_\_ to create \_\_\_\_\_.

**Coolant** - Carbon \_\_\_\_\_ or water. Circulated round core to remove \_\_\_\_\_ and take it to heat exchangers. Keeps the core at a safe \_\_\_\_\_.

**Control rods** - lowered into reactor to absorb neutrons and control the \_\_\_\_\_ of the reaction.

**Moderator** - slows down \_\_\_\_\_ to a speed that makes their capture by a Uranium nucleus \_\_\_\_\_ likely.

hot coolant out



**Fuel rods** - Contains the nuclear \_\_\_\_\_

cold coolant in

As the coolant passes through the core it becomes very \_\_\_\_\_. Therefore it is very important to contain it and not let it \_\_\_\_\_ into the environment. The core is surrounded by thick \_\_\_\_\_ walls to prevent the escape of radioactive material into the environment

## D. Wave Particle Duality

### 1. Photoelectric Effect

In some situations waves can act like \_\_\_\_\_ and particles like \_\_\_\_\_. An example of a wave acting like a particle is the \_\_\_\_\_ effect.

Extremely bright white light could not eject electrons from a negatively charged metal plate. However a very dim UV source would see electrons being emitted. Why?

Einstein postulated that light did not travel as continuous waves like water waves but as individual packets of wave energy called \_\_\_\_\_. The energy of these photons was not dependent on their amplitude but on their \_\_\_\_\_.

Energy of a photon = Planks constant x frequency of photon

$$E = hf$$

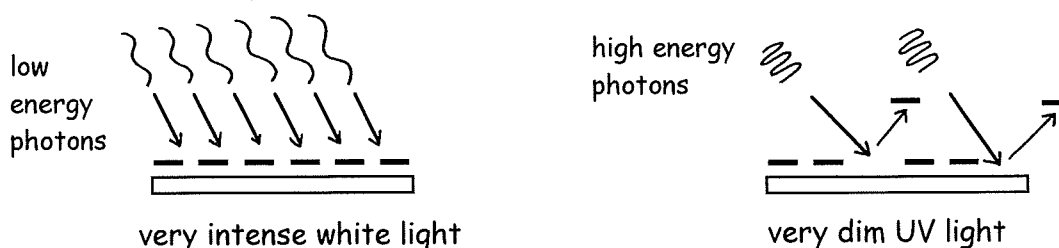
$6.63 \times 10^{-34} \text{Js}$

Energy ( )      ←      frequency ( )

Ex A photon of X-rays has a frequency of  $7.2 \times 10^{17} \text{Hz}$ . What is the energy of the photon?

1 So extremely bright white light would not eject an electron because although a huge amount of energy in total is hitting the surface, because the frequency of white light is low the energy of each photon is small. So none of the photons has sufficient energy to release a photon.

2. The dim UV light will eject electrons because UV light has a high frequency than white light so each individual photon has sufficient energy to release a photon. One photon interacts with one electron.

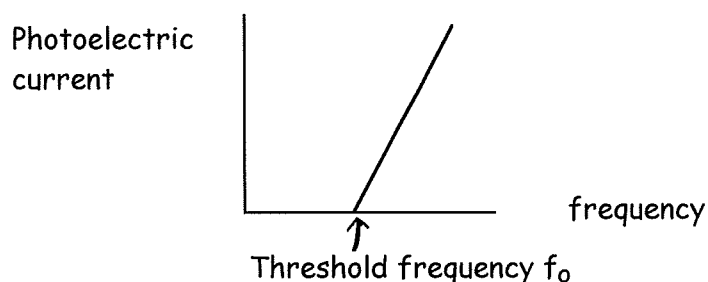


## 2. Threshold frequency $f_0$

The threshold frequency of a metal is the minimum \_\_\_\_\_ of incident photon which will cause an \_\_\_\_\_ to be emitted. If the frequency of the photons in the irradiating light is higher than the threshold frequency electrons will be \_\_\_\_\_.

Ex The threshold frequency of a metal plate is  $4.6 \times 10^{15} \text{ Hz}$ . Circle the photons from the following options that will emit electrons from the plate?

- A.  $2.1 \times 10^{15} \text{ Hz}$       B.  $7.2 \times 10^{15} \text{ Hz}$       C.  $9.8 \times 10^{14} \text{ Hz}$       D.  $1.1 \times 10^{17} \text{ Hz}$



From the graph, as freq of photons increases above  $f_0$  the electrons come off faster so more charge passes a point each second & photoelectric current increases.

## 3. Work function

Therefore the minimum energy of photon required to remove a photon is called the \_\_\_\_\_ function.

$$W = hf_0$$

A photon with energy  $E_p$  which is greater than the work function  $W_0$  hits a plate. Electrons will be \_\_\_\_\_. The bigger the gap between  $E_p$  and  $W$  the greater the \_\_\_\_\_ energy of the emitted photon

Ex The threshold frequency of a metal plate is  $2.6 \times 10^{14} \text{ Hz}$

(a) Calculate the work function

(b) Will a photon of energy  $3 \times 10^{-19} \text{ J}$  be able to eject an electron?

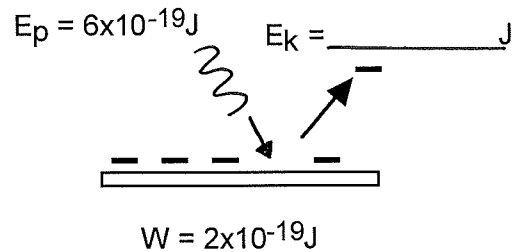
4. Kinetic energy of emitted electrons

A photon with 4J of energy hits a plate with a work function of 3J. So it takes \_\_\_J to remove the photon, so \_\_\_J is left over, this is transferred to the kinetic energy of the ejected electron.\*

Kinetic energy of ejected electron = Energy of photon - Work function

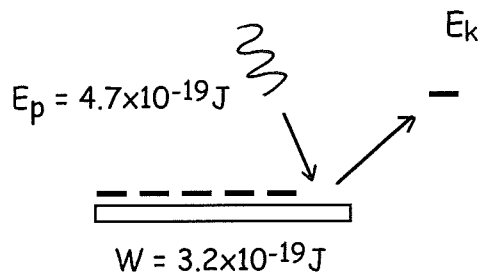
$$E_k = E_p - W$$

$$\frac{1}{2}mv^2 = hf - hf_0$$



\* The only difference between reality and the example above is that the numbers involved will be smaller.

Ex From diagram  $E_p$  is greater than  $W$  therefore electrons \_\_\_\_\_ be ejected.



The kinetic energy  $E_k$  of an ejected electron  $E_k = E_p - W$

$$E_k = \text{_____} - \text{_____}$$

$$= \text{_____}$$

If the frequency of photons is increased each photon has more \_\_\_\_\_.  
Therefore the kinetic energy of emitted electrons will \_\_\_\_\_.

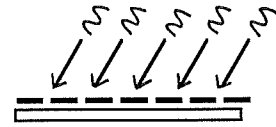
Ex A beam of red light is incident on a metal plate with  $W = 4.3 \times 10^{-19} \text{ J}$ .

The energy of each photon is  $2.2 \times 10^{-19} \text{ J}$

(a) Will electrons be emitted?

(b) How would you change the frequency of photons to eject electrons?

Ex A metal plate has a work function of  $2.2 \times 10^{-19} \text{ J}$ . Light of frequency  $5.9 \times 10^{14} \text{ Hz}$  is incident on it.



- (a) What is the energy of an incident photon? \_\_\_\_\_
- (b) Will electrons be released? \_\_\_\_\_
- (c) If so calculate the kinetic energy of the emitted electrons \_\_\_\_\_
- (d) Calculate the speed of an emitted electron. \_\_\_\_\_

5. Changing Irradiance & Frequency

Increasing the irradiance increases the \_\_\_\_\_ of photons in the beam.  
 Increasing the frequency of photons increases the \_\_\_\_\_ of each photon.

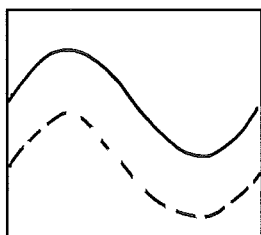
Ex Light of frequency  $5 \times 10^{15} \text{ Hz}$  is incident on a plate which has a threshold frequency of  $2 \times 10^{15} \text{ Hz}$ .

- (a) Will electrons be released? \_\_\_\_\_
- (b) The irradiance is increased. How does this affect the
- (i) number of electrons being released? \_\_\_\_\_
- (ii) the kinetic energy of released electrons? \_\_\_\_\_
- (c) The frequency of the photons is now increased. How does this affect the
- (i) number of electrons being released? \_\_\_\_\_
- (ii) the kinetic energy of released electrons? \_\_\_\_\_

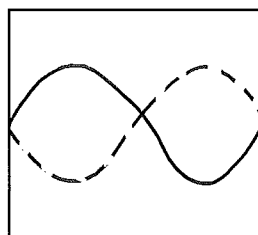
## E    Interference and diffraction

### 1.    In phase.

Waves which are in phase are in step. The same point on both waves occurs at the same time . ie peaks and peaks in step



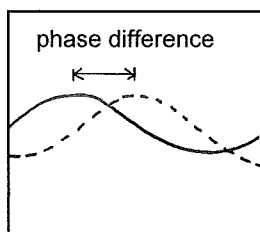
2 waves in phase (in step)



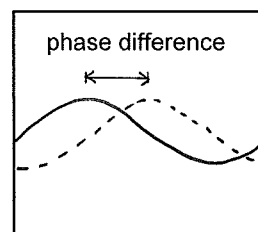
2 waves 180° out of phase  
(out of step)

### 2.    Coherent waves

Coherent waves have a constant phase difference and to keep this constant phase difference all the time they require to have the same frequency, \_\_\_\_\_ and \_\_\_\_\_.



10mins later



2 coherent waves

### 3.    Interference Patterns.

To create interference patterns we require 2 coherent wavefronts to meet. It is easy to create two coherent wave fronts with sound and water waves because the wavelengths are very large. Two people clapping \_\_\_\_\_ at the same time or two stones being dropped into a pool of \_\_\_\_\_ at the same time will create two sufficiently coherent wave fronts.

When water waves and sound waves from two coherent sources meet they \_\_\_\_\_ with each other. They can interfere constructively or \_\_\_\_\_.

4. Constructive interference

When peaks from one source meet with peaks from the other source they add together to form a \_\_\_\_\_ wave. .

+ =

5. Destructive interference

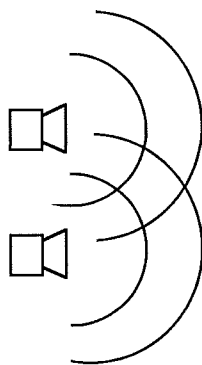
When peaks from one source meet troughs from the other source they \_\_\_\_\_ each other out resulting in \_\_\_\_\_ wave motion.

+ =

6. Maximum and Minimums.

In this example 2 loudspeakers create 2 coherent semicircular wavefronts which meet and interfere. Areas of loud sound (maximum) ● and no sound (minimum) ○ are detected. Areas of max wave disturbance are caused by waves \_\_\_\_\_ interfering. Areas of no wave disturbance are created by waves \_\_\_\_\_ interfering.

The path difference  $\Delta$  is the difference between the number of \_\_\_\_\_ arriving from source A and B at a fringe. Or the difference in distance



- \_\_\_\_\_ order maximum.  $\Delta = \_ \lambda$
- 
- first order maximum.  $\Delta = \_ \lambda$
- 
- zero order maximum.  $\Delta = \_ \lambda$
- first order minimum.  $\Delta = \_ \lambda$
- 
- \_\_\_\_\_ order minimum.  $\Delta = \_ \lambda$
- 

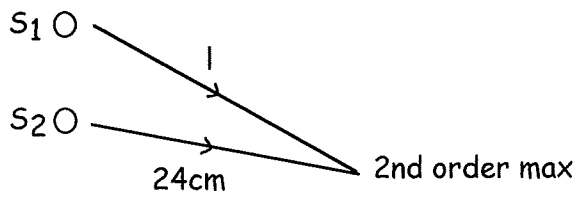
For constructive interference the path difference of waves arriving from the two sources have to be a full number of waves apart. ie  $1\lambda, 2\lambda, 3\lambda, \dots$

so path difference =  $m\lambda$  where  $m =$  order ie 0,1,2,3....

For destructive interference the path difference from waves coming from the two sources has to be a half number of waves apart. ie  $\frac{1\lambda}{2}, \frac{3\lambda}{2}, \frac{5\lambda}{2}, \dots$

so path difference =  $(m + \frac{1}{2})\lambda$  where  $m =$  order ie 0,1,2,3...

Ex 1. Find length  $l$ . Wavelength of sound = 2cm



It's a 2nd order max therefore

$$\Delta \text{ in terms of waves} = \_ \lambda$$

$$\Delta \text{ in terms of distance} = l - 24$$

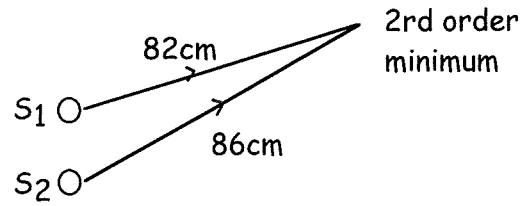
$$2\lambda = l - 24$$

$$l = 24\text{cm} + \_ \lambda$$

$$l = 24 + \_$$

$$l = \_$$

Ex 2. Finding the wavelength.



It's a 3rd order minimum therefore

$$\Delta \text{ in terms of waves} = \_ \lambda$$

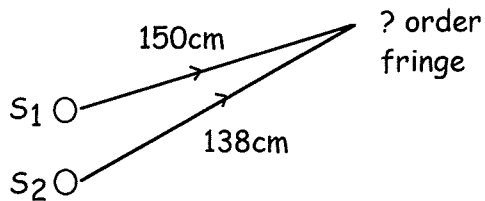
$$\Delta \text{ in terms of distance} = 86 - 82$$

$$\text{So } 2.5\lambda = 86 - 82$$

$$2.5\lambda =$$

$$\lambda =$$

Ex3 Find the order. Wavelength is 3cm.



Path difference in terms of distance = 150-138cm. So path difference in terms of waves

$$n\lambda = 150 - 138$$

$$n \times 3 = \_$$

$$n = \_$$

$$n = \_$$

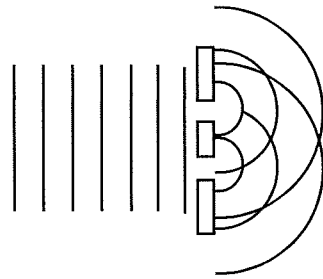
Therefore it is a \_\_\_\_\_ order \_\_\_\_\_.



7. Is light a wave or particle?

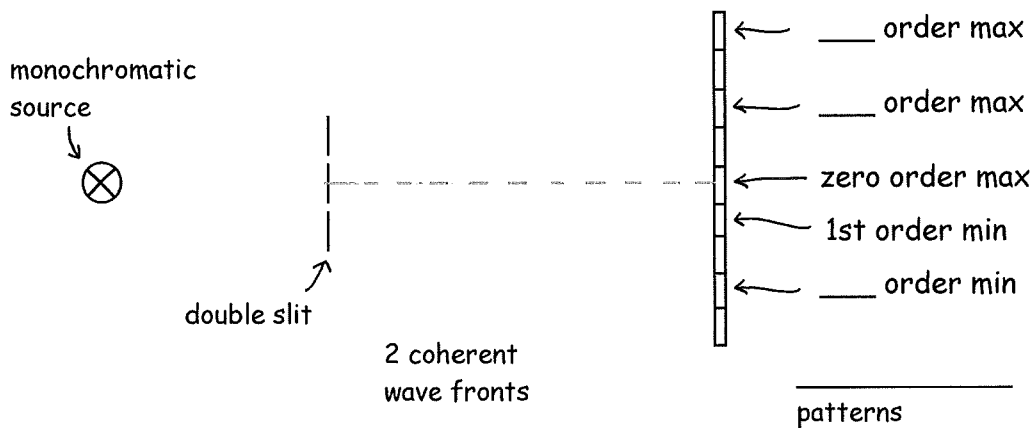
Water and sound create interference patterns because they are w\_\_\_\_\_.  
 So if we could get light to interfere then we could say light was a \_\_\_\_\_.  
 In 1801 Thomas Young created two coherent source of light by firing a beam of  
 monochromatic light ( \_\_\_\_\_ frequency) through 2 narrow slits.

The light d\_\_\_\_\_ as it passed through the slits creating 2 semi circular  
 coherent wave fronts.



Slit width has to be  
 approx same length as  
 the wavelength of light  
 to create two semi  
 circular coherent  
 wavefronts

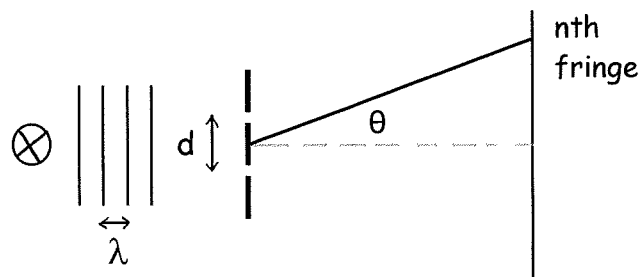
On a screen he saw an interference pattern proving that light travels as a \_\_\_\_\_.



8. Grating Equation

If a wave of wavelength  $\lambda$  is shone through a grating where the distance between  
 slits is  $d$  then the  $n$ th fringe is seen at angle of  $\theta$  from the centre line and the  
 relationship between these terms is.

$$\sin\theta = \frac{n\lambda}{d}$$



Ex A ray of red light of wavelength 650nm is incident on a grating with slit separation  $2.1 \times 10^{-6} \text{m}$ . Calculate the angle the 2nd order maximum fringe would be found?

### 9. Grating Spacing d

If the grating is defined as No of lines per cm or mm or m Then we have to calculate the separation d.

Ex 1 200lines /mm = 200 x1000 line per m = 200,000line /m therefore the

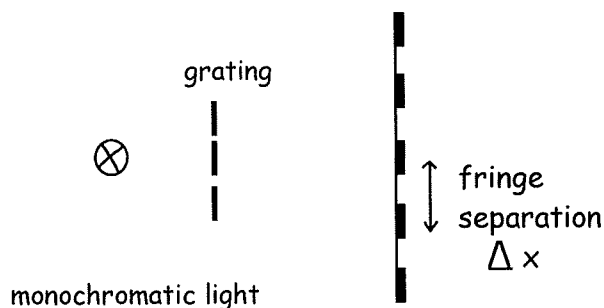
slit separation  $d = \frac{1}{200,000} = \text{_____m}$

Ex 2 5000lines/cm = 5000 x100 lines per m = \_\_\_\_\_line/m

therefore  $d = \frac{1}{\boxed{\hspace{2cm}}} = \text{_____m}$

### 10. Changing fringe separation

The fringe separation  $\Delta x$  is the distance between interference fringes.



Fringe separation can be increased by

- (a) Moving screen further from the grating
- (b) Decrease d (slit width)
- (c) Increase  $\lambda$  (wavelength)

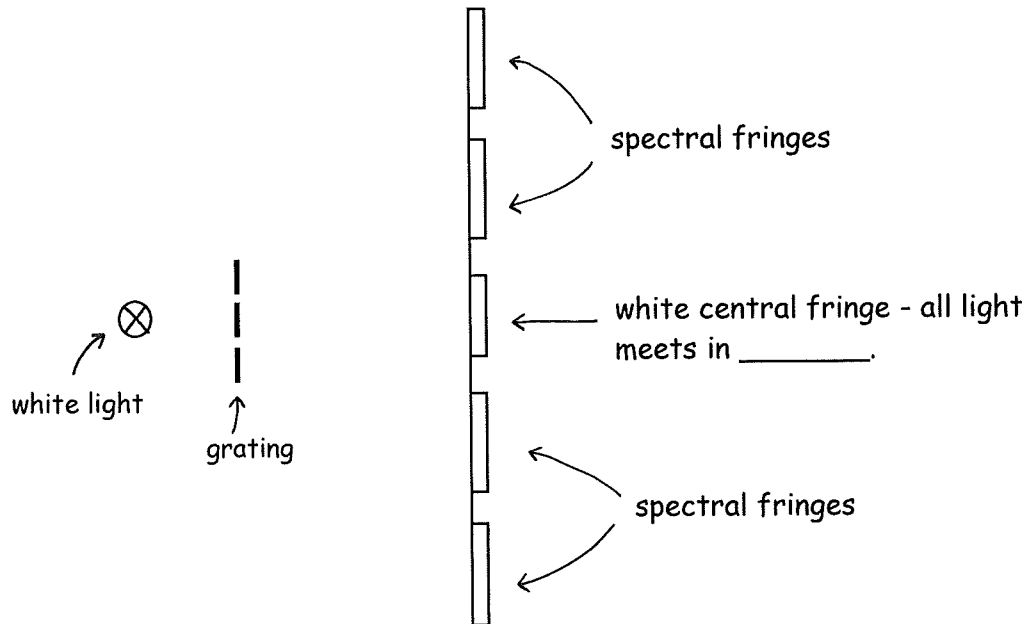
The 2nd two methods are summarised by the equation.  $\sin\theta = \frac{n\lambda}{d}$

For  $\theta$  to  $\uparrow$  then d or  $\lambda$

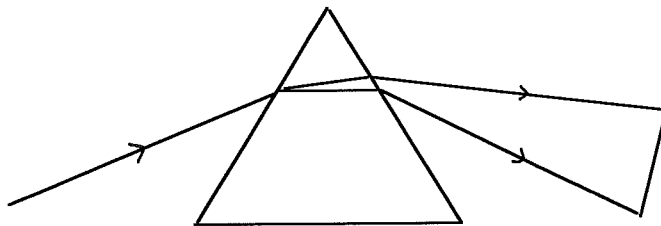
11. Interference with white light

White light is made from all the colours of the spectrum and each colour has a different  $w$  \_\_\_\_\_, so each colour will diffract by a different amount through grating. The longer the wavelength the more it diffracts.

So \_\_\_\_\_ light will be deviated the most at each fringe



12. Compare with refraction of white light



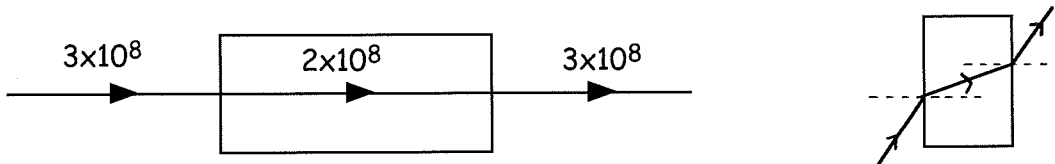
Differences

1. No central white \_\_\_\_\_
2. Only \_\_\_\_\_ spectral fringe is created.
2. \_\_\_\_\_ light is deviated more than \_\_\_\_\_ light in this spectrum.

## F Refraction

### 1. Absolute refractive index

Refraction is the process whereby the \_\_\_\_\_ of a wave changes as it travels from one medium into another. If the wave travels from one medium into another at an angle to the normal the \_\_\_\_\_ of the wave also changes.



The absolute refractive index  $n$  of a material is the ratio of the speed of light in a \_\_\_\_\_ to the speed of light in the \_\_\_\_\_. Now because air has approximately the same density as a vacuum we can calculate the approximate  $n$  by measuring the speeds of light as it travels from air into the material

$$n = \frac{v \text{ light in vacuum}}{v \text{ light in material}} = \frac{v_a}{v_m}$$

which is approximately  $n = \frac{v_a}{v_m}$

The larger the value of  $n$  the more the material will slow down or change the direction of a beam of light. If  $n = 2$  the speed of light decreases by \_\_\_\_\_.

Ex A beam of light travels into a glass prism with a refractive index 1.6.

(a) What is the speed of the light in the prism?

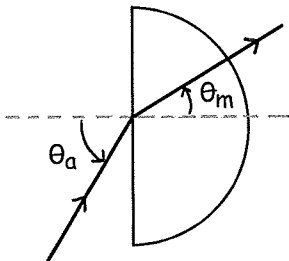
$$n = \frac{v_a}{v_m} \quad \text{So} \quad v_m = \frac{v_a}{n} = \frac{3 \times 10^8}{\boxed{\phantom{000}}} = \underline{\hspace{2cm}}$$

(b) If another prism of refractive index 1.9 was used would the light in the new prism be faster slower or the same as in part (a) Explain

It would be \_\_\_\_\_. The new prism has a larger refractive index so will refract or change the speed by a greater amount. Or from above equation as  $n$  increases  $v_m$  will \_\_\_\_\_.

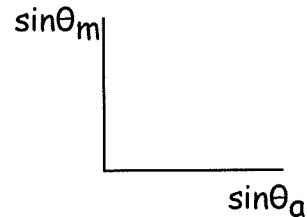
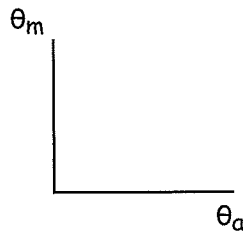
## 2. Snell's Law

In the following experiment the angle of incidence is increased and the angle of refraction measured. The following graphs are drawn.



$\theta_a$  = angle on air side

$\theta_m$  = angle on material side



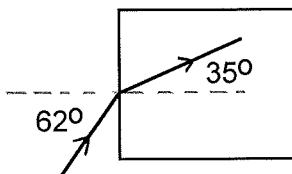
As the graph of  $\sin\theta_a$  vs  $\sin\theta_m$  is a straight line passing through the origin we can say that  $\sin\theta_a$  is directly proportional to  $\sin\theta_m$ .

Therefore  $\sin\theta_a / \sin\theta_m = \text{a constant} = \text{the refractive index of the material.}$

$$n = \frac{\sin\theta_a}{\sin\theta_m}$$

As the beam is unidirectional it does not matter which direction the light is travelling as long as the angle on the air side of the boundary is on the numerator of the fraction.

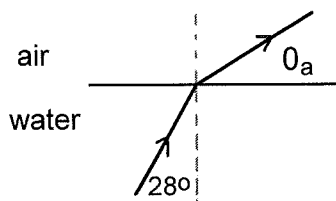
Ex 1 Look at this beam of light travelling from air into a glass block. Calculate the refractive index of the glass.



$$n = \frac{\sin\theta_a}{\sin\theta_m} = \frac{\sin 62^\circ}{\sin 35^\circ} = \underline{\hspace{2cm}}$$

Example 2

Ex 2 This beam of light is emerging from water ( $n=1.33$ ) into air. Calculate  $\theta_a$ .



$$n = \frac{\sin\theta_a}{\sin\theta_m}$$

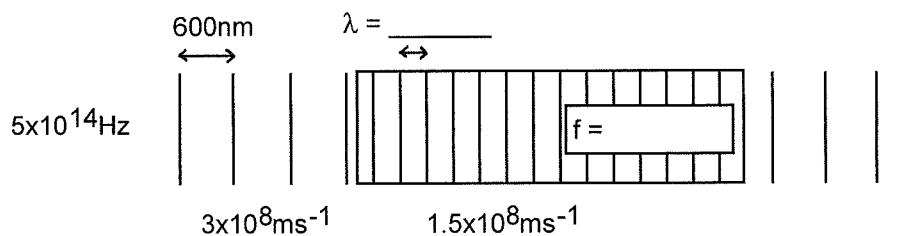
$$\sin\theta_a = n \times \sin\theta_m$$

$$\sin\theta_a = 1.33 \times \sin 28^\circ$$

$$\theta_a = \sin^{-1} \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$$

3. Refraction and frequency, wavelength and speed of light

As a light wave travels from one medium into a more optically dense material its speed and \_\_\_\_\_ decrease but the frequency remains \_\_\_\_\_.



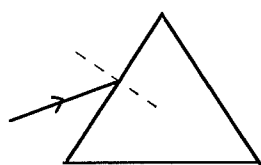
So as light travels from material 1 into 2 we can say  $f_1 = \frac{v_1}{\lambda_1} = f_2 = \frac{v_2}{\lambda_2}$

$$n = \frac{\sin\theta_1}{\sin\theta_2} = \frac{v_1}{v_2} = \frac{\lambda_1}{\lambda_2}$$

Again, because  $n_{\text{air}}$   $v_{\text{vac}}$  we can write above equation as

$$n = \frac{\sin\theta_a}{\sin\theta_m} = \frac{v_a}{v_m} = \frac{\lambda_a}{\lambda_m}$$

Ex A beam of light of frequency  $4.8 \times 10^{14} \text{ Hz}$  travels from air into this prism of refractive index 1.54 as shown.



(a) Calculate the wavelength of the light in air

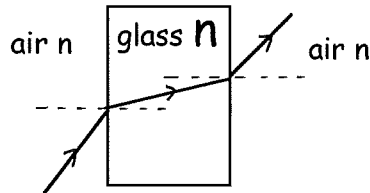
(b) Calculate the wavelength of the light in the prism

(c) Calculate the speed of the light in the prism.

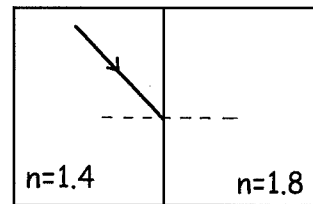
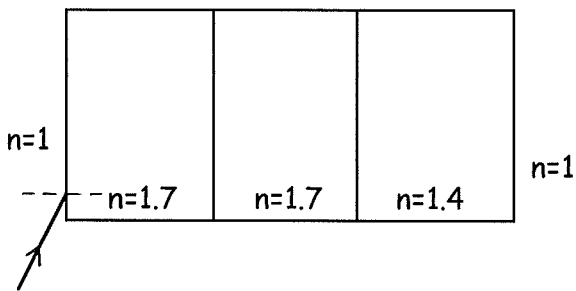
4. Predicting paths

When a wave travels from a less optically dense material (small  $n$  ie air) to a more dense material (larger  $n$  ie glass) its speed \_\_\_\_\_ and the beam bends \_\_\_\_\_ the normal.

Moving from big  $n$  to small  $n$  the speed \_\_\_\_\_ and the beam bends \_\_\_\_\_ from the normal. This is summarised by remembering the following diagram:

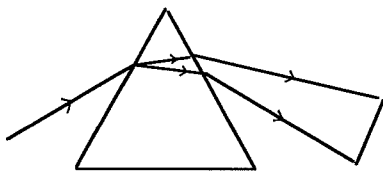


Predict the path of the ray through each of these diagrams:



5. Refractive index and frequency

We remember what happens when white light passes through a triangular prism



r  
o  
y  
g  
b  
i  
v

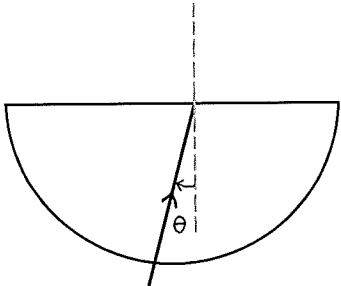
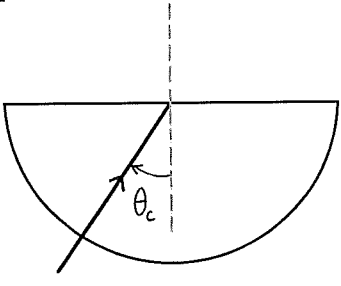
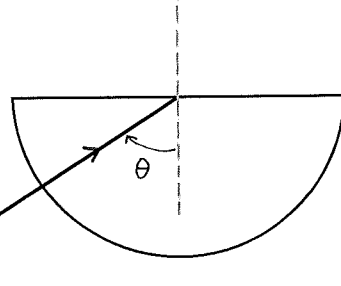
From the diagram we can see that for this prism the violet light ( high freq) refracts more than the \_\_\_\_\_ light (low freq). So the refractive index  $n$  of the material for violet light is greater than  $n$  for red light. The refractive index of a material depends on the \_\_\_\_\_ of the light passing through it.

The higher the frequency of the light the \_\_\_\_\_ the material's refractive index.

So for this material  $n$  for red = 1.49  $n$  for violet = 1.51. because the prism refracts the violet light more The 1.5 we quote for the material is an average for all the colours.

6. Total Internal Reflection

When a ray of light is travelling through a material. It soon hits the material / air boundary. What happens to this beam at this point depends on the \_\_\_\_\_ angle of the material.

<p>1</p>  <p>At a small angle of incidence most light refracts through to the _____ side, only some is reflected back</p>	<p>2</p>  <p>At a certain angle of incidence called the _____ angle <math>\theta_c</math> most of the light travels along the _____.</p> <p>Again some is _____ back</p>	<p>3</p>  <p>At an angle of incidence _____ than the critical angle <b>ALL</b> of the light is _____ internally _____</p>
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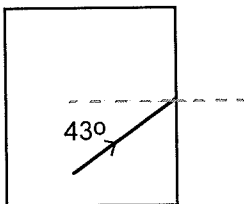
For diagram 2  $n = \frac{\sin\theta_a}{\sin\theta_m} = \frac{\sin \underline{\hspace{1cm}}}{\sin \underline{\hspace{1cm}}} = \underline{\hspace{1cm}}$

therefore  $\sin \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

Ex A beam of light hits the glass to air boundary at the following angle. n for glass is 1.52.

(a) Calculate the critical angle for the glass.

$\sin\theta_c = \frac{1}{n} = \frac{1}{\underline{\hspace{1cm}}}$  so  $\theta_c = \sin^{-1}(\underline{\hspace{1cm}})$   $\theta_c = \underline{\hspace{1cm}}$



(b) Predict the path of the beam after hitting the boundary

As the angle of incidence ( $43^\circ$ ) is \_\_\_\_\_ than the critical angle for the glass ( $41.7^\circ$ ) the light will totally \_\_\_\_\_ reflect at the boundary.



7. Critical angle and refractive index

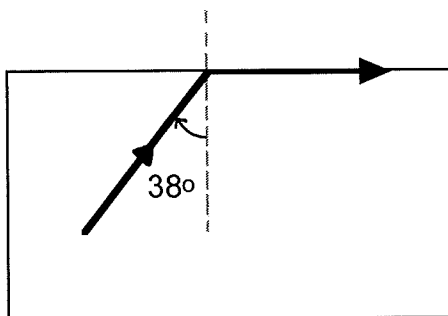
$$\sin\theta_c = \frac{1}{n}$$

so as n increases the critical angle \_\_\_\_\_.

8. Critical angle and frequency of light

We know that the refractive index of a material depends upon the frequency of the light. So as the frequency of light increases the refractive index \_\_\_\_\_. As refractive index increases, from above equation, the critical angle \_\_\_\_\_

Ex A beam of light travels along the path shown



(a) What is the critical angle of the glass? \_\_\_\_\_

(b) If a beam of light of higher frequency was used describe the path of the bulb.

Higher frequency light - Therefore the refractive index of glass will be greater. As

$$\sin\theta_c = \frac{1}{n}$$

as n increases then  $\theta_c$  \_\_\_\_\_. So  $38^\circ$  will bigger than the critical angle so the light will \_\_\_\_\_  
\_\_\_\_\_.

6 Spectra

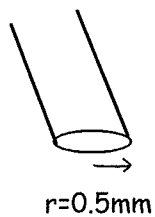
1. Irradiance

The irradiance (I) of light is defined as the \_\_\_\_\_ (P) of the light arriving at each unit \_\_\_\_\_ (A).

$$I = \frac{\text{Power}}{\text{Area}} = \frac{P}{A}$$

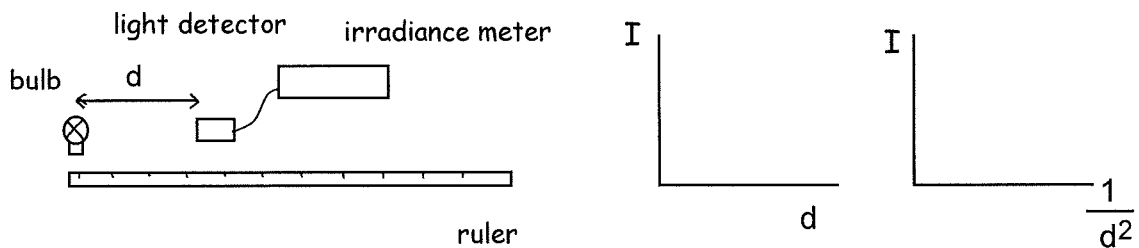
Quantity	Unit
Irradiance	
Power	
Area	

Ex What is the irradiance of a 0.1mW laser beam which creates a circular beam of radius 0.5mm?



2. Irradiance and distance

Move the light meter gradually away from the bulb and note the irradiance.



From the second graph we see a \_\_\_\_\_ line passing through the origin so we can conclude that Irradiance is directly \_\_\_\_\_ to  $1/d^2$

so  $I / 1/d^2 = \text{constant}$       so  $Id^2 = k$

or  $I_1 d_1^2 = I_2 d_2^2$

Ex A bulb is 50cm from a surface. The irradiance of light on the surface is  $2.4\text{Wm}^{-2}$ . What is the irradiance when the bulb is moved to a point 20cm from the surface?

### 3. Bhor's model of the atom.

Two mysteries of 19th century classical physics were solved by Neil's Bhor:

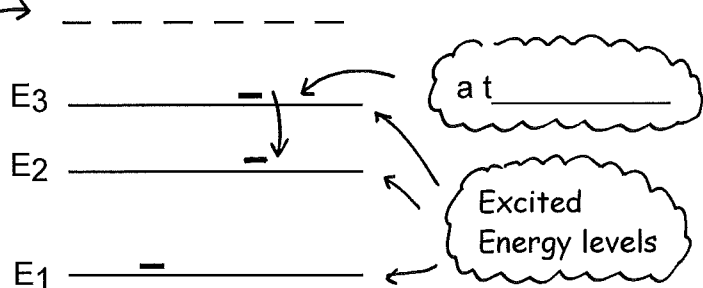
- (1) Why, when gaseous elements were heated did they give off a \_\_\_\_\_ spectrum and each line spectrum was unique for each element?
- (2) According to classical physics, an orbiting electron should loose energy and spiral into the \_\_\_\_\_. Therefore all atoms should collapse.

Bhor's atom consists of a very small positive \_\_\_\_\_. The electrons exist in certain discrete \_\_\_\_\_ levels. Electrons can "jump" between energy levels but cannot exist between them.

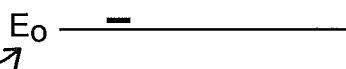
He showed these energy levels in energy level diagrams as shown below

The gaps between the levels indicate the amount of \_\_\_\_\_ transferred as an electron moves from one level to another.

**Ionisation state** - point at which electron has \_\_\_\_\_ potential energy relative to nucleus. It is free of influence from the \_\_\_\_\_.



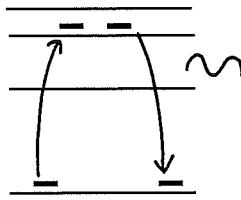
**Ground State** - \_\_\_\_\_ energy level



An electron which moves up to a higher energy level is in an \_\_\_\_\_ state. This can be done by heating the atom or passing \_\_\_\_\_ energy through it.

4.

The electron moving from a lower to a higher energy level must absorb a quanta of \_\_\_\_\_.

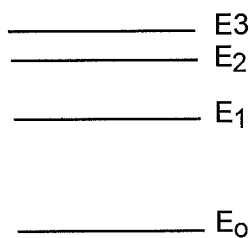


When the electrons falls from a higher to a lower energy level it \_\_\_\_\_ the quanta of energy in the form of a \_\_\_\_\_ of light.

A jump is some times called a \_\_\_\_\_. The bigger the transition the more \_\_\_\_\_ is involved.

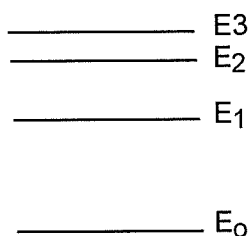
By convention we take the ionisation level as \_\_\_J of energy. Energy levels of atoms are given as -ve.

Ex This diagram shows the energy levels in an atom

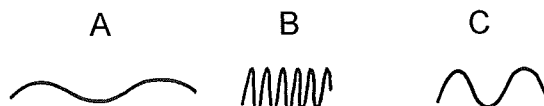


- \_\_\_\_\_ is the highest energy level
- \_\_\_\_\_ is the lowest energy level
- There are \_\_\_\_\_ possible electron transitions in this atom
- For an electron to move "up", energy has to be a \_\_\_\_\_ by the electron
- When an electron "falls down" energy levels it emits a quanta of energy in the form of a p \_\_\_\_\_ of light
- Transition \_\_\_\_\_ to \_\_\_\_\_ will result in the emission of the highest energy photon
- Transition \_\_\_\_\_ to \_\_\_\_\_ will result in the emission of the lowest energy photon.

Ex This diagram shows the energy levels in an atom

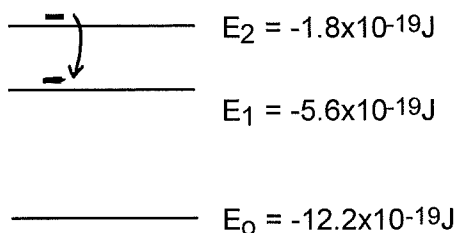


- Match 3 possible transitions with the following emitted photons



- \_\_\_\_\_ to \_\_\_\_\_ emits the lowest energy photon?
- \_\_\_\_\_ to \_\_\_\_\_ emits the highest frequency photon

Ex Energy Calculations



An electron makes transition E2 to E1

(a) What is energy involved =  $E_2 - E_1$   
 $-1.8 \times 10^{-19} - ( \quad )$   
 = \_\_\_\_\_

(b) What is the frequency of emitted photon?

$E = hf$       $f = \frac{E}{h} = \text{_____} = \text{_____}$

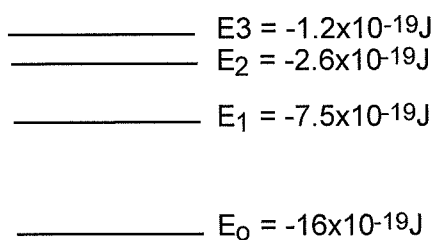
(c) What is the wavelength of the emitted photon

$v = f\lambda$       $\lambda = \frac{v}{f} = \text{_____} = \text{_____}$

(d) Which part of the electromagnetic spectrum is it from?

A large energy transition is associated with a \_\_\_\_\_ frequency photon which is associated with a \_\_\_\_\_ wavelength.

Ex Here are the energy levels in an atom



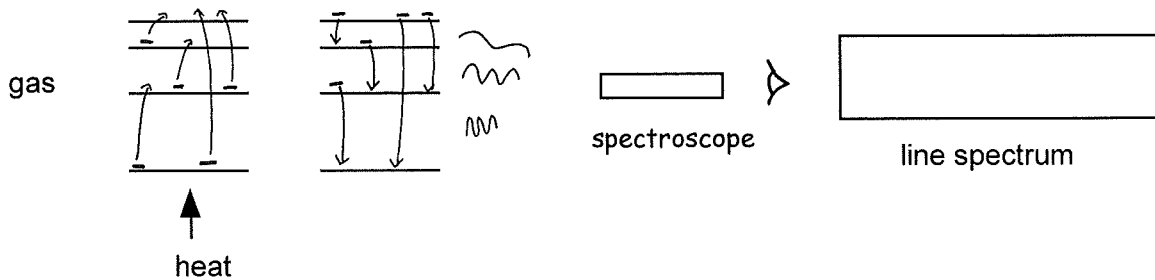
(a) An electron absorbs a photon of energy  $8.5 \times 10^{-19} \text{J}$ . Which transition does the electron make?

(b) When the electron falls back down how much energy does it emit?

(c) Calculate the frequency of the emitted photon

5. Line emission spectra

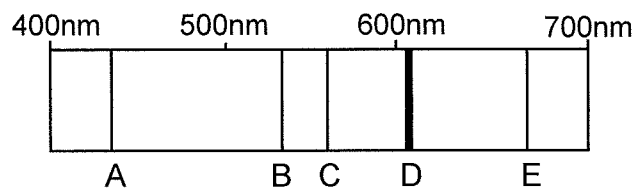
The atoms in a gas are \_\_\_\_\_ apart so do not interfere with each other. When a gas is heated electrons absorb discrete quanta of \_\_\_\_\_ and jump up to \_\_\_\_\_ energy levels. When they fall back down they emit the quanta of energy in the form of a \_\_\_\_\_ of light, As each atom has only a discrete number of possible transitions they produce a discrete number of \_\_\_\_\_ If we view these photons using a spectroscope we see a \_\_\_\_\_ spectrum



Some of the electron transitions are so large they emit invisible high energy UV photons which cannot be \_\_\_\_\_ on the line spectra. Some transitions are so small they emit invisible low energy \_\_\_\_\_ red photons which again will not show up on the spectra.

Some lines are brighter than others indicating that more electrons will make this \_\_\_\_\_ compared to others so more photons of the same frequency are emitted.

Ex A line spectra for a certain gas is shown below.



The shorter the wavelength of the emitted photon the higher its \_\_\_\_\_ and the larger the energy the photon has.

Line \_\_\_\_ is associated with a large energy transition

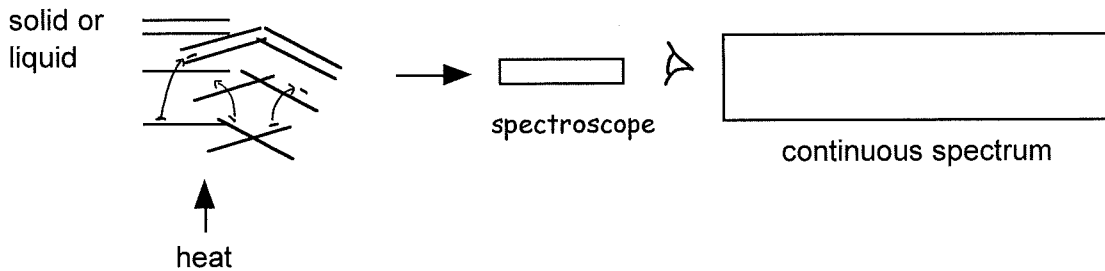
Line \_\_\_\_ is associated with a small energy transition

Line \_\_\_\_ is associated with a popular energy transition

The atom produces 6 different photons. The 6th photon cannot be seen on the spectra because it is \_\_\_\_\_ and cannot be seen on the visible spectrum

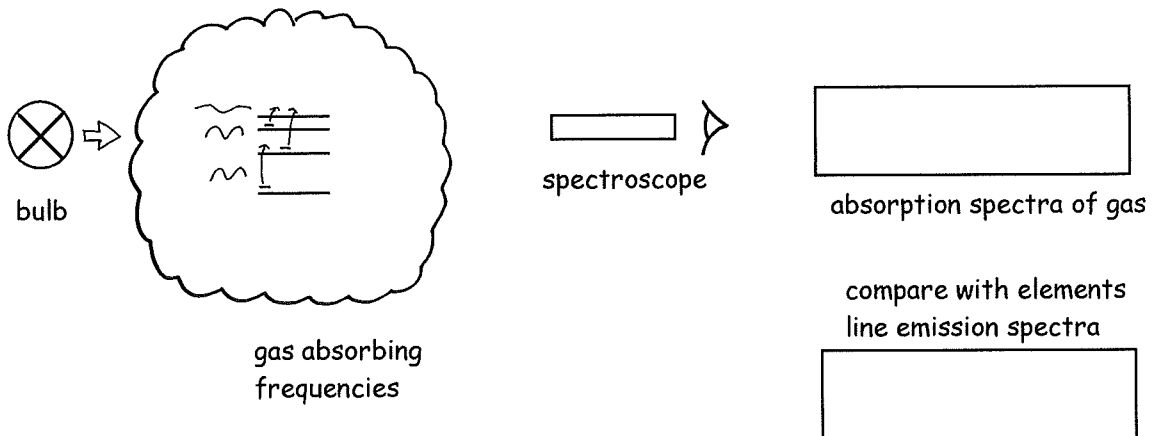
6. Continuous emission spectra

In a solid or liquid, atoms overlap, so when electrons are heated they can jump up to an infinity of different \_\_\_\_\_ levels and when they fall back down they emit an \_\_\_\_\_ of different frequencies resulting in a \_\_\_\_\_ spectrum.



7. Absorption Spectra

If you view the light from a filament bulb, using a spectroscope, you see the light from a solid wire so you will see a \_\_\_\_\_ spectra. If you place a gas between the bulb and your spectroscope, electrons in the gas absorb discrete frequencies according to the possible transitions in the gas atoms.



This results in certain frequencies being removed from the white light. What you see is the continuous spectra but with \_\_\_\_\_ lines corresponding to the absorbed frequencies. These lines are in the exact same position as the gases \_\_\_\_\_ emission spectrum

The sun emits a continuous spectra (white light) .When these gases pass through the sun's upper atmosphere the gases in the atmosphere \_\_\_\_\_ certain frequencies. We can use the absorption spectra produced to \_\_\_\_\_ the gases which make up the upper atmosphere. We call these lines \_\_\_\_\_ lines.