

## TOPICS

- Best Deals
- Budgeting
- Income
- Wages \& Salary
- Deductions
- Income tax and allowances
- Foreign currency
- VAT and Insurance
- Hire Purchase
- Profit \& Loss
- Interest
- Loans


$$
\begin{aligned}
& \text { for } \text { * forg H } \\
& \text { FINANCE }
\end{aligned}
$$

## WHAT ARE BEST DEALS?

- A best deal is a term to say we are making comparisons and decision based on a collection of information.
- Overall we are usually looking to save money while adhering to a list of demands.

8. DMS have 3 hire purchase options on offer for this 3-seater sofa bed.


- Pay a deposit of $15 \%$ and make 12 payments of $£ 88.50$.
- Pay no deposit and pay it up with 24 payments at $£ 52 \cdot 50$.
- Pay a deposit of $12.5 \%$ and pay it over 3 years at $£ 32$ per mont Which method works out cheapest ?

WHICH IS THE BEST DEAL? $\square$
$\square$
$£ 1.50$

$$
\begin{aligned}
& 1.5(119 \mathrm{~g}: \notin 1.50 \quad 93 \mathrm{~g}: \in 1 \\
& 79.3 \mathrm{~g}: \in 1)=1.5186 \mathrm{~g}: \in 2
\end{aligned}
$$

$$
247 \mathrm{~g}: £ 2
$$

$$
158 \cdot 6 g: \not \subset 2
$$

7. Mr Ralston needs a new phone line set up, and a new router.

RG Media charges $£ 80$ for a call-out, $£ 30$ for a router and $£ 42.50$ per hour to install. Stirgin charges $£ 47.50$ per hour for labour with a $£ 70$ call-out fee and $£ 25$ router. Sunbox charges $£ 30$ for a call-out, $£ 40$ per hour for labour and $£ 75$ for a router. The job is scheduled to take 2 hours.
a What would be Mr Ralston's cheapest option?

b If the work was to run into a third hour, would this option still be the cheapest?

$$
\begin{aligned}
& \text { mG } \\
& \text { Rouen } E 30 \\
& c_{a / 1 /}^{a_{4}} \\
& \text { Caboun } \\
& E 80 \\
& \begin{array}{c}
\frac{E 85}{E 195} \\
\frac{142-50}{237.50}
\end{array}
\end{aligned}
$$


£25
$E 70$


Sunbox
E75 E30

$$
\frac{E 80}{E 185}
$$

$$
\frac{+40}{t 225}
$$

## PURCHASING A NEW TABLET



## Device B



## Device C

## DOWNLOADS

$500 \mathrm{Mb} /$ month included
$5 \mathrm{p} / \mathrm{Mb}$ additional, free wifi

## VIDEOS

6 months free
£9.99/month
ACCESSORIES
$£ 95$

Requirements:

- up to 300 Mb of data per month.
- access to 5 videos a month on average
- keyboard accessory
- annual insurance
- To make comparisons, find the total cost of each option (after any further charges or deductions have been made)


Option Ais cheaper as $£ 470.96<£ 474, £ 479.94$.

## TIMED QUESTION

- Leckie and Leckie book
- Question 3 (starts on pg 45 and goes over onto pg 46 and 47)
- Complete work on blank paper.
- You may use a calculator.
- You have $\mathbf{2 0}$ minutes.
- Work in exam conditions



## for*ocrow w FINANCE

## CALCULATE MISS O'BRIENS MONTHLY EXPENDITURE



## TOTAL EXPENDITURE

## £|454.50

-What else might I have to pay for?

## MANAGING MONEY

- My salary (after taxes etc) is $\mathbb{£} \mathbf{6 4 2 . 5 8}$
- When going through the month, I have to keep in mind what l've already spent and how much I have left.
- This can impact on what I can choose to do or buy.
- In some months I have to adjust what I can save in order to pay for things that are priorities.

Managing a Budget Scenario - pg 226

Eve has been carefully budgeting for some months and wants to begin saving for her family's future. She can only afford to save a small amount each month, but she hopes to be able to save more in 6 months when her credit card bill is paid off. She decides to visit her local bank to get some advice.


Exercise 3

1. Eve has $£ 100$ savings at the end of June 2015, and decides she can afford to save $£ 50$ per month from then and $£ 120$ per month once her credit card is paid off in 6 months time.
a After a year, how much money would Eve have in her savings?
b The bank manager asks Eve how much access she needs to her savings. What does this mean ?

a) $(50 \times 6)+(120 \times 6)=300+720=1020$

After 1 yearshe has E 1120 insavings. b) Whether Eve needs to be able to spend money from her saving,
account.
2. Eve wants to be able to take her money out in the event of an emergency, so the bank manager shows her what savings accounts are available.

a Which of the savings accounts do you think would be the most suitable for Eve ?
b State your reasons for choosing that account, pointing out why this is a better choice than either of the other two accounts?

Mightymonthy

- higher interest rate 2.5ン. $>1.5 \%$
- she has enough money to operthe account (E100)
- she pays in the mini over the minimum amount

3. Eve opens a MIGHTYMONTHLY account with her $£ 100$ at the start of July 2015 and finds that interest is paid on the account after 6 months and after 1 year. (i.e. every 6 months).
a If she pays in $£ 50$ per month from 1st July for the first 6 months then $£ 120$ per month for the next 6 months, what will the balance in her account be at the end of :-
(i) December 2015
(ii) May 2016?
$2.5 \%$ per year $\frac{1}{2}$ interest
b Eve is disappointed to find that if she wishes to close her account, then the amount of interest she would receive would be slightly less than she expected.
Can you suggest a possible reason for this? $\rightarrow$ interest is taxed.
Dec 15:

$$
100+50 \times 6
$$

$$
=400
$$

$$
\begin{array}{r}
10 \%=40 \\
5 \%=20 \\
2 \cdot 5 \%=10 \\
\text { Interest }=E 5
\end{array}
$$

$$
\frac{+5}{E 405}
$$

$$
\text { May16: } 405+120 \times 5=E 1125
$$

1. Here is the page showing Eve's savings in her passbook. she increases the amount she pays into her account to $£ 120$ per month from 1st January 2016.
Write up the entries in the passbook to show how much Eve has in her account just after

|  | Paid In | New Balance |
| :--- | :--- | :--- |
| $31 / 12215$ | - | $£ 40500$ |
| $01 / 01 / 16$ | $£ 120.00$ | $£ 525.00$ |
| $01 / 02 / 16$ | $£ 120.00$ | $£ 6$ |
| $01 / 03 / 16$ |  |  |

$$
\begin{aligned}
& \text { interest is added on the 30th June } 2016 . \\
& 10 \% \text { of } 1125=112.5 \\
& 5 \%=56.25 \\
& 2.5 \% \text { (per year) }=28 \cdot 125 \\
& 6 \text { months }=28.125 \div 2 \\
& =14.0625 \\
& 01 / 02 / 16 \quad £ 120.00 \quad £ 645.00 \\
& \begin{array}{ccc}
01 / 03 / 16 & 12000 & 765.00 \\
01 / 04 / 16 & 120 & 885.00 \\
01 / 05 / 16 & 120 & 1005.00 \\
01 / 06 / 16 & 120 & +145.00 \\
& & 1125.00
\end{array} \\
& 30 / 06 / 16 \underset{\text { interest }}{14.06 \mathrm{El} 139.06}
\end{aligned}
$$

5. At the end of the year, Eve decides to transfer $£ 800$ of her savings into a new account which will earn her a better rate of interest.
a Into which of the 3 accounts should Eve transfer her money?
b List differences between this new account and her existing account.

a) ISA Saver
b) $.4 \%>2.5 \%$

- tax free
- she cant withdraw for 3 yeas.

6. The interest in this account is calculated at the end of each year and is compounded. If Eve leaves her $£ 800$ in this account for the 3 years, how much will her savings in this account be worth at the end of that 3 year period?

$$
\begin{aligned}
& 4 \% \quad 3 \text { years } £ 800 \\
& 100+4=104 \\
& 104 \div 100=1.04 \\
& \\
& 800 \times 1.04^{3}=£ 899.8912 \\
&=£ 899.89
\end{aligned}
$$

7. Alfie opens an account to save his pocket money. The bank's YoungSaver account pays $6.5 \%$ per year with an annual $0.75 \%$ bonus paid if a minimum of $£ 20$ is paid into the account each month. Interest is credited to the account at the end of December.
a Alfie pays in half of his $£ 50$ monthly allowance on the 1st of each month from hst July 2015 to 1st December 2015. How much is in Alfie's account on Ind December?
b Does Alfie qualify for the interest bonus?
c How much will he have in his account at the end of December once interest is added?
a) $6 \times £ 25=E 150$
b) Yes
C) Interest: $6.5+0.75=7.25 \%$

$$
150 \div 100 \times 7.25=10.875
$$

6 months interest $=10.875 \div 2=5.4375$
End of december $=150+5.44=E 155.44$
8. Eve inherits $£ 2500$ from her great aunt and decides to save the money towards the boys' university fees. She doesn't want to have access to the money until the boys start university and she wants the best savings interest rate for the money.

The best rates Eve could find are listed opposite :-

| Name of Company | Type of Account | Int Rate |
| :--- | :--- | :--- |
| Initial Savings Bank | 3 year fixed bond | $3.75 \%$ pa |
| BAC Bank PLC | 5 year fixed bond | $4.5 \%$ pa |
| Thrifty Credit Union | 10 year fixed bond | $6.0 \%$ pa |

a How much interest would Eve receive from each of the above accounts after 12 months?
b Assuming the interest is compounded on each of the accounts, how much would Eve's money be worth at the end of each bond?
c Alfie is it years old at present and will go to university when he is 18 years old. Which bond do you think that Eve should put her money in? Why do you think this?
d What are the reasons that Eve might consider splitting the money and opening 2 separate accounts ?
a)

$$
\begin{aligned}
& \text { Initial }=2500 \div 100 \times 3.75=E 93.75 \\
& B A C=2500 \div 100 \times 4.5=E 112.50 \\
& \text { Thrifly }=2500 \div 100 \times 6=E 150
\end{aligned}
$$

b)

$$
\begin{aligned}
\text { Initial }=2500 \times 1.0375^{3} & =£ 2791.93 \\
\text { PAC }=2500 \times 1.045^{5} & =E 3115.45 \\
\text { Thrifty }=2500 \times 1.06^{10} & =E 4477.12
\end{aligned}
$$

# UNSCRAMBLE THE WORDS TO FIND KEY TERMS TO DO WITH JOBS 

inimmscoos
commission.
wages
ewgsa
adaypy
Payday
salary
ralyas
tax
xat


## WHAT'S THE DIFFERENCE BETWEEN A WAGE AND SALARY?


a fixed regular payment, typically paid on a monthly basis but often expressed as an annual sum.

a fixed regular payment earned for work or services, typically paid on an hourly basis

Which is better?

## CALCULATING PAY

I. Jenny works as joiner. She earns a wage of $£ 8 \cdot 30$ per hour.

On one project she works 26 hours in total.
How much does she earn?

$$
8.30 \times 26=E 215.80
$$

2. A teacher earns an average annual salary of $£ 29000$. How much does this equate to
a) per month?

$$
29000 \div 12=E 2416.67
$$

b) per week?

$$
29000 \div 52=E 557.69
$$

CALCULATING PAY
3. On Saturdays Dan earns time and a half and on Sundays he earns double time. His standard wage per hour is $£ 9 \cdot 18$.
One week he works 25 hours Mon-Fri, and then works an extra 5 hours on Saturday. On Sunday his boss asks him to work another 3 hours.

How much money does Dan earn overall during this week?
M-F $25 \times 9.18=E 229.50$
Sat $\underset{\substack{\text { Timex } \\ \text { half }}}{ } 9.18 \times 1.5=13.77$

$$
5 \times 13.77=668.85
$$

Sun Double $9.18 \times 2=18.36$

$$
18.36 \times 3=E 55.08
$$

Total $=229.50+68.85+55.08=E 353.43$

STARTER

One week Grace works the following hours:

- Mon - Fri: 9 am - 5pm with an hour unpaid lunch Thous $x 5$
- Sat:
$12 \mathrm{pm}-3 \mathrm{pm}$
- Thurs:

5pm - Bpm
$3 T+\frac{1}{2}$
3 NT

Her normal wage is $£ 6.40$ per hour, but she is paid double time past 5 pm and time and half at weekends.

How much does she earn overall?

$$
\begin{aligned}
& \text { - Mon-Fri }=7 \times 5 \times 6.40=E 224 . \quad \text { Total }=E 291.20 \\
& \text { - Sat }=6.40 \times 1.5 \times 3=E 28.80 \\
& \text { Thus }=6.40 \times 2 \times 3=E 38.40
\end{aligned}
$$

COMMISSION
A clothing store pays commission on staff sales:-
Sales between $£ 10,000$ and $£ 15,000 \quad 4.5 \%$
Sales over $£ 15,000$
6.75\%
a) Mark sells $£ I 2,500$ and Paul sells $£ 22,000$. How much commission do they both earn?

Mark
sells $\in 12,500$
Commissionable sales:
$12500-10000=2500$

$$
\begin{aligned}
& 2500 \times 0.045 \\
= & E 112.50 \\
& \text { Commission = E112.50 }
\end{aligned}
$$

Paul
Sells $£ 22000$
Commissinable sales:

- 5000 at $4.5 \%$
- $22000-15000=7000$ at $6.75 \%$

$$
5000 \times 0.045=1225
$$

$$
7000 \times 0.0675=£ 472.50
$$

Commission $=E 697.50$

## COMMISSION

3. Ellen earned $£ 1920$ last month.

Her basic wage of $£ 1100$ was supplemented by commission from sales totalling $£ 18,200$. What percentage commission did Ellen get?


## gross and net pay

## Gross Pay

This is the wage/salary that you are paid for your work

## Deductions

taken off your gross pay

- Income Tax
- Pensions
- National inswance


## Net Pay

The amount you take home after deductions.

## GROSS AND NET PAY

Charlie gets a job working in an sales office on a contract of 40 hours per week. One week he earns $£ 642$.
a) What is his hourly wage (rate of pay)?

He also works an extra 6 hours, paid at time and a half.
b) How much does he earn for overtime?

For his sales he earns $3 \%$ commission. Commission is only awarded to sales above $£ 5000$.
c) One week he sells $£ 8500$. How much commission does he get from this?
d) How much does Charlie get for his Gross Pay?

Charlie's payslip is shown at the side.
a) How much is taken off towards NI?

$$
E 9.38
$$

| Name | NI no. | Emp no. | Week |
| :--- | :--- | :--- | :--- |
| Charlie | RS 123 654 | 000564 | 6 |
| Basic Pay | Overtime | Comm | Gross |
| 642 | 144.48 | 105 | 891.48 |
| NI | Income Tax | Pension | Deduct |
| 9.38 | 170.76 | 35.65 | 215.79 |

He decides to pay in $4 \%$ of his gross pay into a pension.
b) Find the amount he will pay into a pension.

$$
891.48 \times 0.04=35.65
$$

c) Calculate the total deductions Charlie will pay.

$$
9.38+170.76+35.65=215.79
$$

d) What percentage of his gross pay is this?

$$
\frac{215 \cdot 79}{891.48} \times 100=24.2 \%
$$

e) Find Charlie's overall net (take home) pay.

$$
891.48-215 \cdot 79=6675.69
$$


 FINANCE

## HOW IS INCOME TAX CALCULATED?

Income Tax is calculated as a percentage of your wage.
The percentage rate is set by the government and is currently:

| Band | Taxable income | Tax rate |
| :--- | :--- | :--- |
| Personal Allowance | Up to $£ 11,500$ | $0 \%$ |
| Basic rate | $£ 11,501$ to $£ 45,000$ | $20 \%$ |
| Higher rate | $£ 45,001$ to $£ 150,000$ | $40 \%$ |
| Additional rate | over $£ 150,000$ | $45 \%$ |

The rate you pay depends on how much you earn, people over $£ 150,000$ pay all three rates of interest whereas someone earning below $£ 45,000$ only pays one rate.
There is also a personal allowance which is tax free.

## WHAT PART OF MY WAGE IS TAXED?

| Taxable income | Tax rate |
| :--- | :--- |
| Up to $£ 11,500$ | $0 \%$ |
| $£ 11,501$ to $£ 45,000$ | $20 \%$ |
| $£ 45,001$ to $£ 150,000$ | $40 \%$ |
| over $£ 150,000$ | $45 \%$ |

## Ben earns $£ 38,000$.

He will get a tax-free allowance of $£ I I, 500$.

$26500 \times 0.2=E 5300$
Ben pays $E 5300$ of tax

1. Mr Fleming earns $£ 23650$.

He has a tax allowance of $£ 8014$.
Calculate his income tax. Copy and complete :-

Taxable income is $23650-8014=£ . . .$.

$$
20 \% \text { of } £ . . . . . . . . . . . .=~=£
$$

.............
Total Income Tax due is $£$ £ 3127.20
2.
 Mr Bond works in IT and earns $£ 28400$. He has a tax allowance of $£ 10566$.

Calculate how much income tax he is due to pay. $£ 3566.80$
3. Jim, the office boy, has an annual salary of $£ 17000$. He has a £9520 tax allowance.
Calculate his income tax bill. $\quad E 1496$
4. Calculate the income tax due, at $20 \%$, on each of the following :-
a Mr Dahl earns $£ 19780$ per annum. He has a tax allowance of $£ 4108 . £ 3134 \cdot 40$
b Matilda earns $£ 2200$ each month. She has a monthly tax allowance of $£ 345$.
c Charlie has a tax allowance of $£ 97.60$ on his weekly wage of $£ 568$.


7. Calculate the income tax due on each
a Mr Kenobi - £29780
c Mr Yoda - £51360
below :-
Ms. Leia - £32000
Mr Solo- $£ \frac{1}{4}$ million.
"Jabba" earned two point five million pounds as a singer last year and had a taxable allowance of $£ 12560$.

Calculate how much income tax she had to pay.


Mr Ford owns his own joinery firm and has a taxable income of $£ 142400$.
He completed his income tax form and sent off a cheque for $£ 40603$.
Did he pay the correct amount? Explain.

## REVISION HOMEWORK DUE THURS $30^{\text {TH }}$ NOV

## End of Chapter Assessments:

- Chapter 3 (percentages)
- Chapter 4 (fractions)
- Chapter 7 (ratio/proportion) page 71

If you have any problems or questions you must come and ask - Mondays or Wednesdays after-school,Thursday lunch.


## REVISION HOMEWORK DUE THURS $30^{\text {TH }}$ NOV

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WHAT IS VAT?
VAT stands for Value Added Tax.
It is added onto goods and services, usually before you buy them.
The standard rate of VAT is $20 \%$ however some items have lower VAT rates, for example heating, medicines, children's clothes and school equipment.

Example
Richard takes his scooter to a garage for a repair. The garage charges $£ 24 \cdot 50$ per hour and the new parts cost $£ 256 \cdot 70$.
The garage takes 4 hours and adds 20\%VAT to the cost.
What is the final bill?
Labour : $24.50 \times 4=98$
Parts: 256.70

$$
\frac{\text { Before }}{\text { Tax }}=98+256 \cdot 70=354 \cdot 70
$$

$20 \%$ of $354.70=70.94$.

$$
\text { Final bill }=354.70+70.94=E 425 \cdot 64
$$



## REVISION HOMEWORK DUE THURS $30^{\text {TH }}$ NOV

## End of Chapter Assessments:

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## WHAT IS HIRE PURCHASE?

Hire Purchase is buying goods through the process of:

- Making an initial deposit (sometimes a fixed amount or a percentage of the total cost)
- Paying off the remaining cost with weekly/monthly payments

It would usually be applied to large purchases, like furniture or appliances.

Hire purchase schemes usually end up costing more money overall.

EXAMPLE 1
Katie buys a sofa by making a $£ 150$ deposit and agreeing to pay 24 monthly instalments of $£ 35$.
The original price of the sofa was $£ 800$.
How much more did Katie pay?

$$
\begin{aligned}
& \text { Deposit } \quad \text { Monthly payment } \\
& 150+(24 \times 35) \\
= & 150+840 \\
= & E 990 \\
& 990-800=190
\end{aligned}
$$

She paid E190 more.

EXAMPLE 2
Paul buys a car worth $£ 6500$ through hire purchase. It cost him $£ 7315$ in total.
He paid a deposit and 24 monthly payments of $£ 210$.
a) Calculate the deposit he paid.

Monthly

$$
\begin{aligned}
& \text { Monthly } \\
& \text { payment r } 24 \times 210=5040
\end{aligned}
$$

His deposit

$$
\begin{aligned}
& \text { Total payments deposit } \quad \text { was } £ 2275 \\
& 7315-5040=2275
\end{aligned}
$$

b) Express this deposit as a percentage of the cars original value.

$$
\frac{\text { deposit }}{\substack{\text { original } \\ \text { value }}} \times 100=\frac{2275}{6500} \times 100=35 \%
$$

EXAMPLE 3
Lisa bought a new kitchen valued at $£ 3000$.
She paid a $20 \%$ deposit and 12 equal monthly payments.
She calculated that she had paid $30 \%$ more than the original price.
How much were her monthly payments?
She paid $30 \%$ more than $£ 3000$

$$
\begin{aligned}
& 10 \%=300 \longrightarrow 30 \%=900 \\
& \text { Total cost }=3000+900=E 3900 \\
& \text { Deposit: 20\% of } 3000=600 \\
& \text { Total - Deposit }=63300 \\
& 3900-600 \\
& \text { Monthly }=3300 \div 12=E 275 \\
& \text { Payment }
\end{aligned}
$$



## REVISION HOMEWORK DUE THURS $30^{\text {TH }}$ NOV

## End of Chapter Assessments:

- Chapter 3 (percentages)
- Chapter 4 (fractions)
- Chapter 7 (ratio/proportion) page 71

If you have any problems or questions you must come and ask - Mondays or Wednesdays after-school,Thursday lunch.

To calculate profit and/or loss, we find the overall difference between the buying cost and selling price.

The context of the question tells you whether it is a profit or loss.

We often express profit and loss as a percentage of the original value:

$$
\% \text { Profit/Loss }=\frac{\text { Profit/Loss }}{\text { Original Value }} \times 100
$$

EXAMPLE 1
A shop buys box of 50 DVDS priced at $£ 175$ each and sells them all at a price of $£ 6.90$ each.

How much profit do they make overall?
Express the profit as a percentage of the original cost price.

$$
\begin{aligned}
& \begin{array}{c}
\text { Total } \\
\text { selling } \\
\text { price }
\end{array} \\
& \text { Profit }=50 \times 6.90=E 345-175=E 170 \\
& k \% \text { Profit it }=\frac{170}{175} \times 100=97 \% \\
& \text { origin }
\end{aligned}
$$



EXAMPLE 2
Kievan buys and sells shares through an online stockbroker.
He buys 200 shares of an oil company for $£ 2.40$ each.
A moth later he sells them for a $15 \%$ loss.
He has to pay his stockbroker $2.5 \%$ commission for carrying out the sale.
How much of a loss did he have?

$$
\text { Buying Price }=200 \times 2.40=£ 480
$$

$$
\begin{aligned}
10 \% & =48 \\
5 \% & =24
\end{aligned} \rightarrow 15 \%=£ 72
$$

Selling Price $=480-72=E 408$
Commission:

$$
408 \div 100 \times 2.5=E 10.20
$$

Overall

$$
L_{\text {css }}=72+10 \cdot 20=E 82 \cdot 20
$$



米动场客
 FINANCE

## REVISION HOMEWORK DUE TODAY

## End of Chapter Assessments:

- Chapter 3 (percentages) page 35
- Chapter 4 (fractions) page 43
- Chapter 7 (ratio/proportion) page 71

If you have any problems or questions you must come and ask - Mondays or Wednesdays after-school,Thursday lunch.

There are many different types of bank accounts.

Banks provide interest rates as an incentive to bank with them.
These rates are usually given as percentages.

EXAMPLE 1
A bank has different interest rates depending on the amount in the account.

| Up to $£ 5000$ | $1.4 \%$ |
| :--- | :--- |
| $£ 5000-£ 10000$ | $2.3 \%$ |
| Over $£ 10000$ | $2.5 \%$ |

Janice invests $£ 6500$ into an account.
After I year, how much interest would she have accrued?
How much money would be in her account in total?

$$
\begin{aligned}
& 6500 \\
& \rightarrow \text { in total }=6500+149.50 \\
& =\underline{\underline{6} 649.50} \\
& 1 \%=6500 \div 100=65 \\
& 2 i=65 \times 2=130 \\
& 0.1 \%=65 \div 10=6.5 \\
& 0.3 \%=6.5 \times 3=19.5 \\
& \text { Interest }=130+19.5=\$ 149.50
\end{aligned}
$$

EXAMPLE 2
Laura deposited $£ 8,400$ into a savings account.
At the end of one year she had gained $£ 21.50$ in interest.
What was the interest rate of her account?
percentage

$$
\begin{aligned}
& \begin{aligned}
\text { Interest } \\
\text { rate }
\end{aligned}=\frac{\text { interest }}{\text { original }} \\
& \text { value }
\end{aligned} \times 100
$$

pg 212
All Question.
QR +3 Non-Cals.



Compound interest is gained through banking money in the same account for a number of years.

You need three piece of information:

Starting Value:
Interest rate:
Time scale:

Example:
Kevin deposits $£ 600$ into a savings account with a $3 \%$ per annum interest rate.
How much will he have after 2 years?
How much interest did he gain?
Non-Calculator Method
Year 1
Start: 6600
$1 \%$ of $600=6 \rightarrow 3 \%=18$
End: $E 600+18= \pm 618$
Year 2
Start $=6618$
$1 \%$ of $618=6.18 \longrightarrow 3 \%=18.54$
At the end of 2 yeas
End: $618+18.54=€ 636.54$

## PERCENTAGE MULTIPLIERS

When we are finding interest we assume we increasing the value in the account.
If we think of the initial deposit as $100 \%$, then the interest rate is added onto this. We divide this new percentage by 100 to find the multiplier.

## Examples

Interest rate of $4 \%: 100 \%+4 \%=104 \% \rightarrow 1.04$

Interest rate of $12 \% \quad 100 \%+12 \%=112 \% \rightarrow 1.12$
Interest rate of $6.3 \% 100 \%+6.3 \%=106.3 \% \rightarrow 1.063$
*
Using percentage multipliers means we can use the following formula with a
calculator.

## Final value $=$ Starting Value $\times(\text { Interest Rate })^{\text {Time }}$

Calculator Method

Kevin deposits $£ 600$ into a savings account with a $3 \%$ per annum interest rate.
How much will he have after 2 years?
How much interest did he gain?
Step I:
Find the percentage multiplier

Step 2:
Use the
formula

$$
\begin{aligned}
\begin{array}{r}
\text { Final } \\
\text { value }
\end{array} & =\begin{array}{c}
\text { Starting } \\
\text { value }
\end{array}{ }^{\text {Interest }} \begin{array}{l}
\text { rotas }
\end{array} \\
& =600 \times 1.03^{2} \\
& =\$ 636.54
\end{aligned}
$$

Step 3:
Calculate the interest

## Final value $=$ Starting Value $\mathbf{x}(\text { Interest Rate })^{\text {Time }}$

Task
Work out the problem without a calculator first. Then check using the formula method.

67000
Fred deposits 800 into a savings account with a $2 \%$ per annum interest rate. How much will he have after 3 years?


## LOANS

- If you take out a loan, you are given an amount of money from a bank or finance company. When you do this, you agree to repay the money borrowed, along with interest, in a specified time.
- If you take out a loan you will be asked to sign a credit agreement. This is a legal contract which outlines the rules and regulations of the loan, including when payments must be made and the amount of interest that must be paid on the loan.


## INTEREST

- Interest is an amount added to the loan by the bank or finance company. The bank will calculate the interest for the whole period of the loan.
- The loan plus the interest is usually repaid in equal monthly payments which are called instalments.
- Interest is calculated as a percentage of the loan for each year of the loan agreement. This is sometimes referred to as per annum (p.a.) which means 'for each year'.
There are two main types of interest:
- Simple interest is calculated as a percentage of the loan, and the amount of interest added is the same each year.

EXAMPLE 1

Scott wants to buy a new car which costs $£ 16505$. The car dealership offers three finance agreement options at a fixed rate of II.2\% per annum.
Option I :24 months $\rightarrow 2$ years $\quad$ Interest $=1848.56 \times 2=3697.12$
Option 2:36 months $\rightarrow 3$ yeas $\quad$ Interest $=1848.56 \times 3=5545.68$
Option 3:48 months $\rightarrow 4$ years Interest $=1848.56 \times 4=7394.24$
I. Calculate the monthly repayments for each of the three loan options.

$$
11.2 \% \text { of } E 16505=16505 \div 100 \times 11.2=1848.56
$$

Option 1 : $16505+3697.12=20202.12$

$$
\text { Monthly payments }=20202.12 \div 24=841.755 \stackrel{\text { E841.76 }}{=}
$$

2. How much more does he pay monthly if he takes out the loan over 24 months rather than 36 months?
$\begin{aligned} 24 \text { monthly payments } & =84^{3} 1.76 \\ & =612.52\end{aligned}$

$$
36 \text { " } \quad \frac{=612.52}{229.24} \text { E229.24 more. }
$$

3. If he takes out the loan over 48 months, how much more than the cash price does he pay?
£7394.24 mare.

## EXAMPLE 2

- The supermarket chain Kings offers financial services through its own bank called Kings Bank. Kings Bank offers loans at different rates.
I. Calculate the percentage interest per annum if you take out a loan of:
A) $£ 10000$ over 5 years and pay $£ 193.17$ per month
B) $£ 5000$ over 5 years and pay $£ 102.83$ per month. 5 years $=60$ months
A) 60 payments $=193.17 \times 60=11590.20$

Total interest $=11590.20-10000=1590.20$
Interest per year $=1590.20 \div 5=318.04$
$\%$ Interest $=\frac{\text { interest p.a }}{\text { original value }} \times 100=\frac{318.04}{10000} \times 100=3.184 \%$
2. Why do you think the percentage interest is more for a $£ 5000$ than a £ 10000 loan?


## CREDIT CARDS

- Credit cards are provided from banks and finance companies. You can use the card to pay for things, but you have to pay back the money to the bank.
- The amount you owe is called the balance.
- You do not have to pay off all the balance each month, but there is usually a minimum payment required.
- There is often a (compound) interest rate added each month or year too.
- If you do not keep up with minimum payments it can affect your credit rating.


## STORE CARDS

- A store card follows the same general rules as a credit card, but you can only use it in one particular store.
- There are often offers and promotions for store card holders.

EXAMPLE

- James wants to buy a new computer for $£ 1200$.

He has two options:
A - He uses his credit card which charges $15.4 \%$ interest per annum on the balance.

B - He uses a store card which charges $20.2 \%$ per annum on the balance. The store card offers a discount of $10 \%$ off the product.

* If he repays after I year, which is the cheapest option?

Option A interest:

$$
\begin{aligned}
& 1200 \div 100 \times 15.4 \\
& =184 \cdot 80
\end{aligned}
$$

Total cost:

$$
\begin{aligned}
& 1200+184.80 \\
= & E 1384.80
\end{aligned}
$$

Option B
Price: $10 \%$ of $1200=120$
Int $1200-120=1080$
Interest: $1080 \div 100 \times 20.2=218.16$
Total cost: $1080+218.16$

$$
=\$ 1298.16
$$

The store card is cheaper by E86-64.

EXAMPLE 2

Karen buys a washing machines for $£ 650$ using her credit card.
The company charges $2.65 \%$ monthly.
a) If she does not make any payments, what is her balance at the end of one year.
b) Express the increase as a percentage of her old balance and state the annual percentage rate (APR).
a) $100 \%+2.65 \%=102.65 \%=1.0265$

$$
650 \times 1.0265^{12}=\underline{E} 889.65
$$

Exercise 5B
b) Increase $=889.65-650$

1 a $£ 52.84$
b $£ 78.45$

$$
\%=\frac{239.65}{650} \times 100=36.85
$$

c Store card cheaper
d $£ 15.41$

$$
A P R=36.87 \%
$$

$2 £ 2953.26$
$3 £ 143.35$

## COMPARING LOANS AND CREDIT CARDS

A new bathroom suite costs $£ 3000$.

- Option A: Take out a loan charging 3.2\% per month paid in monthly instalments over I year.
- Option B: Use a credit card charging $2.8 \%$ per month to pay for the suite and pay back at the end of one year.

Which is the cheaper option?

 FINANCE

## INSURANCE

- People buy insurance to cover the cost of something bad happening.
- You can get insurance on most things: cars, homes, life, phones, possessions.
*. Life insurance can be called assurance.
*     - You make a monthly payment (premium) to a company depending on the value of what you are insuring.

House and Contents insurance
(Monthly premiums per $£ 10000$ )

| Group | Building Ins. | Contents Ins. |
| :---: | :---: | :---: |
| 1 | $£ 1.90$ | $£ 5.90$ |
| 2 | $£ 2.80$ | $£ 6.20$ |
| 3 | $£ 3.25$ | $£ 8.00$ |

These groupings depend on the area you live in, how likely you are to be burgled etc.

Building - Group 1 worth $£ 160,000$ contents $E 40,000$

$$
\begin{aligned}
& 16 \times 1.90= \\
& 345.90=
\end{aligned}
$$

Life Assurance
25 year term policy - monthly premiums (for every $£ 100000$ insured)

| Age |  | Non- <br> smoker | Smoker |
| :---: | :---: | :---: | :---: |
| Male | Female |  |  |
| $16-24$ | $16-31$ | $£ 6 \cdot 10$ | $£ 11 \cdot 40$ |
| 25 | 32 | $£ 6 \cdot 50$ | $£ 11 \cdot 60$ |
| 26 | 33 | $£ 6 \cdot 65$ | $£ 11 \cdot 80$ |
| 27 | 34 | $£ 6 \cdot 80$ | $£ 12 \cdot 50$ |
| 28 | 35 | $£ 7 \cdot 10$ | $£ 12 \cdot 70$ |
| 29 | 36 | $£ 7 \cdot 40$ | $£ 12 \cdot 90$ |
| 30 | 37 | $£ 7 \cdot 70$ | $£ 13 \cdot 80$ |
| 31 | 38 | $£ 8 \cdot 20$ | $£ 14 \cdot 50$ |

