## AVERAGES

The mean is the total of all of the values divided by the number of values.
The median is the middle value when the data is listed in numerical order.
If there is an even number of data values then the median is the mean of the middle 2 values.

The mode, or modal value, is the value which has the greatest frequency.
The mode is useful for non-numerical data i.e. we can find the modal car colour of the cars in the car park.

## SPREAD

The range is a measure of the spread of the data. The range is the highest value - lowest value.

## FREQUENCY TABLES

A frequency table is used to organise a set of data. Frequency tables can be used for numerical or nonnumerical data.

| No of Siblings | Tally | Frequency |
| :---: | :--- | :---: |
| 0 | IIII | 4 |
| 1 | HHI II | 7 |
| 2 | HH HH I | 11 |
| 3 | HII | 5 |
| 4 | II | 2 |
| 5 | I | 1 |


| Eye Colour | Tally | Frequency |
| :---: | :--- | :---: |
| Blue | HH HH IIII | 14 |
| Brown | HH III | 8 |
| Green | III | 3 |

When numerical data has a large range we use a frequency table with class intervals.

| $\%$ Test Mark | Tally | Frequency |
| :---: | :--- | :---: |
| $31-40$ | I | 1 |
| $41-50$ | III | 3 |
| $51-60$ | $H$ HI | 5 |
| $61-70$ | HHY III | 8 |
| $71-80$ | HHI I | 6 |
| $81-90$ | III | 3 |
| $91-100$ | II | 2 |

## BAR GRAPHS

A bar graph is a graph consisting of parallel, usually vertical bars with lengths proportional to the frequency with which the quantities occur. When the horizontal axis shows categories rather than numerical values we usually leave gaps between the bars. The gaps between different bars MUST be the same width.

## Number of Hours of Sunshine in January



Method of Travelling to School


## LINE GRAPHS

Line graphs have sets of points which are plotted and joined by straight lines. When asked to find the trend of a graph we are looking for a general description of it. The trend of the graph above is increasing.

## Height of Sunflower after Planting



## SCATTER GRAPHS

A scatter diagram is used to establish a connection between 2 variables. eg Plot a scatter graph to show the Maths and Physics test marks for a group of pupils.

| Maths | 92 | 86 | 62 | 50 | 83 | 68 | 45 | 70 | 56 | 41 | 30 | 40 | 52 | 67 | 60 | 64 | 75 | 50 | 77 | 47 | 84 | 26 | 100 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Physics | 85 | 70 | 86 | 47 | 94 | 70 | 57 | 82 | 56 | 60 | 48 | 46 | 72 | 64 | 73 | 77 | 85 | 66 | 74 | 50 | 80 | 40 | 98 |

Test Marks
The graph shows a positive correlation between the Maths test marks and the Physics test marks i.e. as the Maths test marks increasethe Physics marks increase.

A negative correlation means that as one variable increases the other decreases. Negative correlation is shown by a downward trend on the graph.


## PIE CHARTS

A pie chart is a circular diagram used to display data.
The pie chart shows the eye colour of 180 first year pupils.
Looking at the angles we can see that
$\frac{90}{360}$ or $\frac{1}{4}$ have brown eyes, $\frac{60}{360}$ or $\frac{1}{6}$ have green eyes and $\frac{210}{360}$ or $\frac{7}{12}$ have blue eyes.

So 45 pupils have brown eyes, 30 pupils have green eyes and 105 have blue eyes.
80 pupils were asked to name their favourite game console. The results are:
Wii-28, X-box-24, Playstation-18, Nintendo DS - 10


Show this information on a pie-chart.

- Find the fraction of the pie-chart required for each game console.
- Use the fraction to find the angle required for each game console.

Fraction
Angle

| Wii $-\frac{28}{80}$ | $\frac{28}{80} \times 360=126^{\circ}$ |
| :--- | :--- |
| X-box $-\frac{24}{80}$ | $\frac{\underline{24}}{80} \times 360=108^{\circ}$ |
| Playstation - $\frac{18}{80}$ | $\frac{18}{80} \times 360=81^{\circ}$ |
| Nintendo DS $-\frac{10}{80}$ | $\frac{10}{80} \times 360=45^{\circ}$ |

Favourite Game Console


PROBABILITY
Probability tells you the likelihood of something happening.
If the probability $=0$ then the event will NOT happen.
If the probability $=1$ then the event will definitely happen.

```
Probability of event happening \(=P(\) event \()=\frac{\text { number of favourable outcomes }}{\text { number of possible outcomes }}\)
    e.g. Flip of a coin \(-P(\) heads \()=1 / 2\)
    Ross of a dice \(-P(4)=1 / 6\)
Selecting 1 card from a deck \(-P(\) Ace \()=4 / 52=1 / 13\)
```


## Statistics Practice

http://www.cimt.plymouth.ac.uk/projects/mepres/book7/bk7i3/bk7 3i1.htm - Learn about SCATTER GRAPHS.
http://www.cimt.plymouth.ac.uk/projects/mepres/book7/bk7i11/bk7 11i2.htm - Learn about PICTOGRAMS, BARCHARTS and PIE CHARTS.
http://www.cimt.plymouth.ac.uk/projects/mepres/book7/bk7i21/bk7 21i1.htm -INTRODUCTION TO PROBABILITY
http://www.cimt.plymouth.ac.uk/projects/mepres/book7/bk7i21/bk7 21i2.htm - CALCULATING PROBABILTIY
www.supermathsworld.com Ask your teacher for login details.

Select DATA from the options.
Try AVERAGES, DISPLAYING DATA 1, DISPLAYING DATA 2, GROUPED DATA, PIE CHARTS, PROBABILITY 1 and SCATTER GRAPHS.
http://www.mathsisfun.com/data/index.html

Read about statistics and probability. Try the practice questions.

