*Scroll down for solutions to last challenge*


Maths Challenge

## Mon $20^{\text {th }} \mathrm{Feb}$ - Fri $3^{\text {rd }}$ March



## (Almost) The Olympic Rings

Use each of the numbers 1 to 5 once.
1
2
3
4
5

Replace each letter A-E with one of the digits so that the total in each circle (red, green, blue) is the same.

Red $=A+B$
Green $=B+C+D$
Blue $=D+E$


Want a bigger challenge? Try doing the same using the numbers 1 to 9 with 5 rings:


Two possible solutions to the last challenge (there are many more!)

## Solution 1

As well as having odd numbers of counters in each row, column and diagonal (as required) what other mathematical property does this solution also have?


Solution 2
This (very elegant!) solution has TWO (related) mathematical properties! What are they?


